

# SUSY searches in Jets + MET at CMS

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- What are we looking for?
  - Signal topology
  - SM Backgrounds
  - Detector backgrounds
- Searches at CMS
  - Variables
  - Analyses strategies
- Interpretation of the results
- Outlook

# SUSY in Jets+MET

This talk presents searches which were thought having **SUSY** in mind:

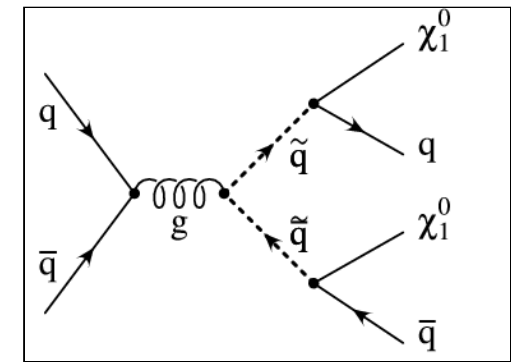
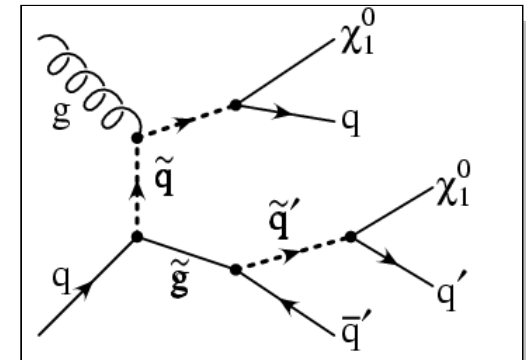
- High rate of gluino, squark production

This is translated into the topology:

- Final states with jets, invisible energy due to LSP ( $ME_T$ )

These searches are sensitive to processes which:

- Are **strongly produced**
- Have a **massive, weakly interactive, stable** colorless particle



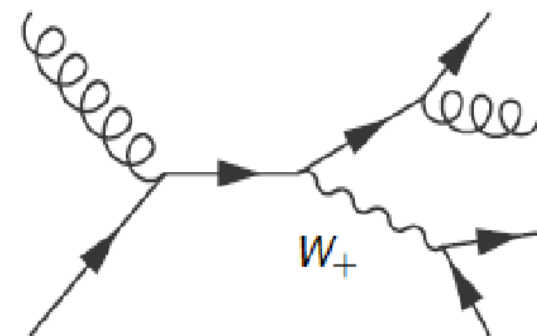
If a model does not predict hadronically rich events, with invisible energy

- This is the wrong place to look at ;)

Standard Model processes can be divided in **two broad categories**:

## “Reducible”:

- QCD:
  - × Huge cross section, potential jet fluctuations create *fake*  $ME_T$
  - ✓ Generally, reduced to negligible amount with topological cuts
- W+Jets, Top:
  - × They have genuine  $ME_T$
  - ✓ But also a lepton → *lepton veto*



## “Irreducible”:

- Z(vv)+Jets:
  - × Same topology, real  $ME_T$
  - ✓ Cannot be reduced (at least efficiently), must be estimated

## Analysis strategies (in a nutshell):

**First Step:** define a variable which reduces QCD multijet contribution to manageable/negligible contribution.

**Second Step:** define a set of cuts which reduce all the possible backgrounds

- Leptons? B-jets?
- Each cut has an acceptance and an efficiency (e.g. electron reconstruction)
  - Estimate “what remains”, example: select a **control sample** (e.g. 1e for W+j), and correct it with acceptance, cut/reconstruction efficiencies

**Third Step:** define a method for estimating the irreducible background

- Example: a related physics process, well measurable and possibly with low signal contamination
- This defines again a control sample, to be corrected by theoretical ratios, etc...

# Control Sample: example

## Z(vv)+jets control samples:

- **Z(l $\nu$ )+jets:**

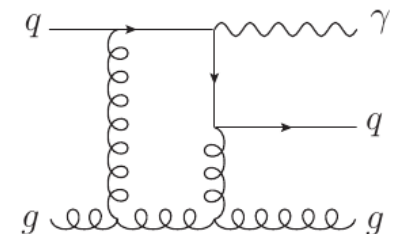
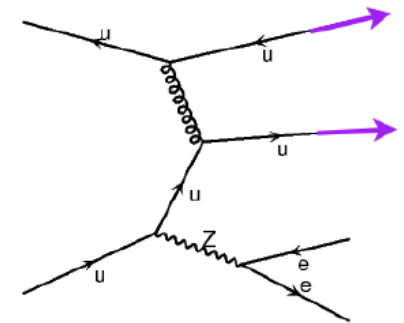
- ✓ **Pro:** same process (just different Br), virtually free from signal (no  $ME_T$ , mass window)
- × **Con:** statistics

- **W(l $\nu$ )+jets:**

- ✓ **Pro:** really similar process process, higher statistics
- × **Con:** contamination from signal, Top

- **$\gamma$ +jets:**

- ✓ **Pro:** high statistics, virtually free from signal ( $ME_T \sim 0$ )
- × **Con:** massless, different couplings  $\rightarrow$  higher th. uncertainties



# Detector subtleties in Jets+MET

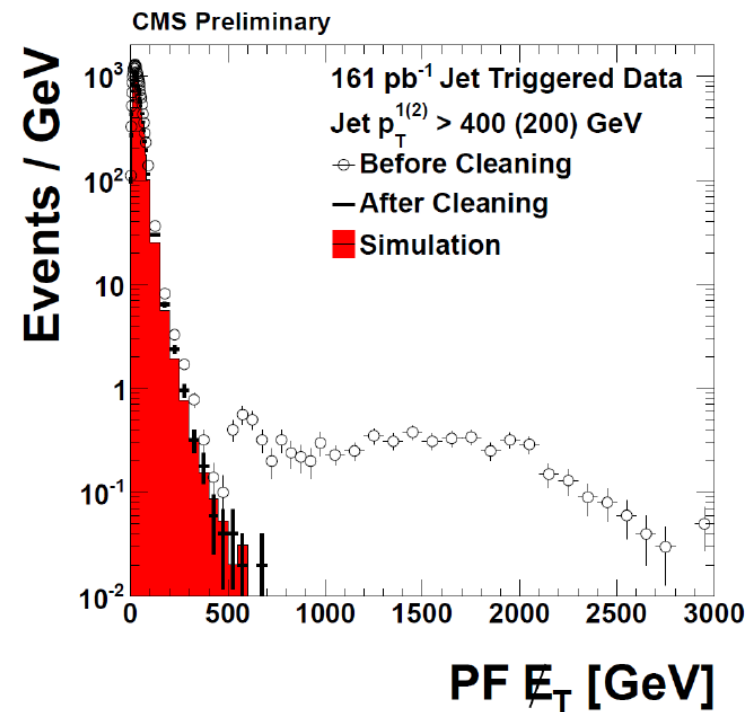
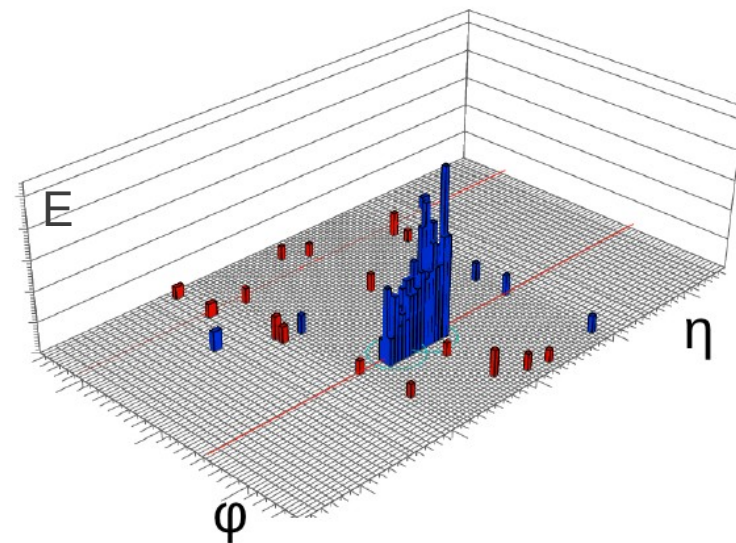
Detectors are not perfect... and momentum imbalance is a quite **sensitive quantity**

## Possible sources of “fake $ME_T$ ”:

- Electronic noise in the Hadronic Calorimeter
- Anomalous ECAL hits (particle directly hits the electronics)
- Cosmic rays (muons)
- Beam halo: muons produced by the proton beams interacting with the pipe
- Low-quality jets (clustered detector noise)
- Detector dead regions (not recorded energy)

**Event-by-event quality filters** developed since the beginning of data taking.

Also, multiple interactions (“**Pile-Up**”) can create some issues



# Search variables

Different search variables, exploiting kinematic properties:

- $M_{H_T}$ : “Classical” approach
- $\alpha_T$ : Very strong QCD rejection
- $M_{T2}$ : Self-protection against QCD, spectra information
- $M_R$ ,  $R^2$  (*Razor*): Strong QCD rejection, approximation of masses differences

Different analysis strategies:

- “Simple” cut and count ( $M_{T2}$ )
- “Multibinned” analysis ( $M_{H_T}$  and  $\alpha_T$ )
- Shape analysis (*Razor*)

Four different analyses, different approaches:

- Complementarity
- Redundancy
- Like ATLAS and CMS



# MHT (1.1/fb): definition

Multibinned analysis based on:

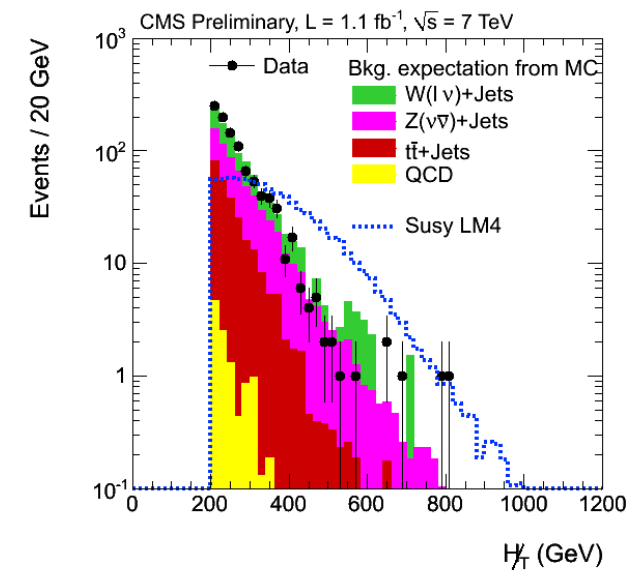
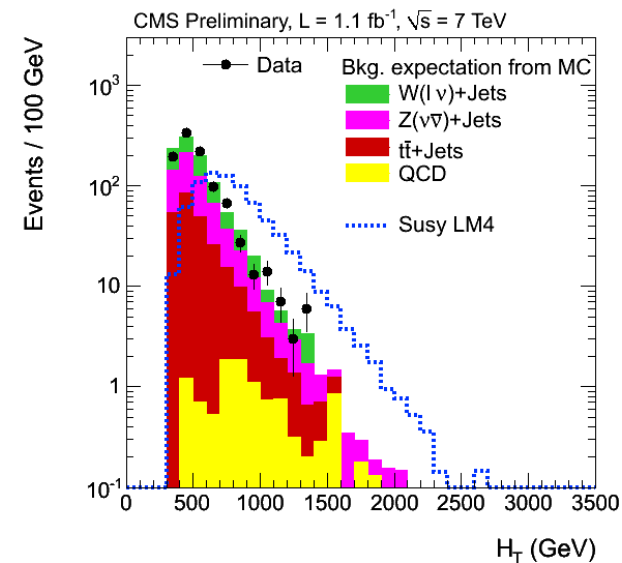
- $H_T$ : scalar sum of jets  $p_T > 50$  GeV,  $|\eta| < 2.5$
- $MH_T$ : vector sum of jets  $p_T > 30$  GeV,  $|\eta| < 5$

Event Selection:

- $N^{\text{jets}}(p_T > 50 \text{ GeV}, |\eta| < 2.5) \geq 3$
- $H_T > 350$  GeV,  $MH_T > 200$  GeV  $\rightarrow$  reduces QCD
- $\Delta\phi(\text{jet}_N, MH_T) > 0.5$  ( $n=1,2$ ) &&  $\Delta\phi(\text{jet}_3, MH_T) > 0.3$   
 $\rightarrow$  protects against  $MH_T$  due to jet mismeasurement
- Veto on isolated electrons/muons (loose cuts),  $p_T > 10$  GeV,  $|\eta| < 2.5$  (2.4) for electrons (muons)  $\rightarrow$  reduces  $W$ +jets, Top

Search Regions:

- *Medium  $H_T/MH_T$* :  $H_T > 500$  GeV,  $MH_T > 350$  GeV
- *High  $H_T$* :  $H_T > 800$  GeV,  $MH_T > 200$  GeV
- *High  $MH_T$* :  $H_T > 800$  GeV,  $MH_T > 500$  GeV



# MHT (1.1/fb): backgrounds

## QCD Multijets: *Rebalance and Smearing method*

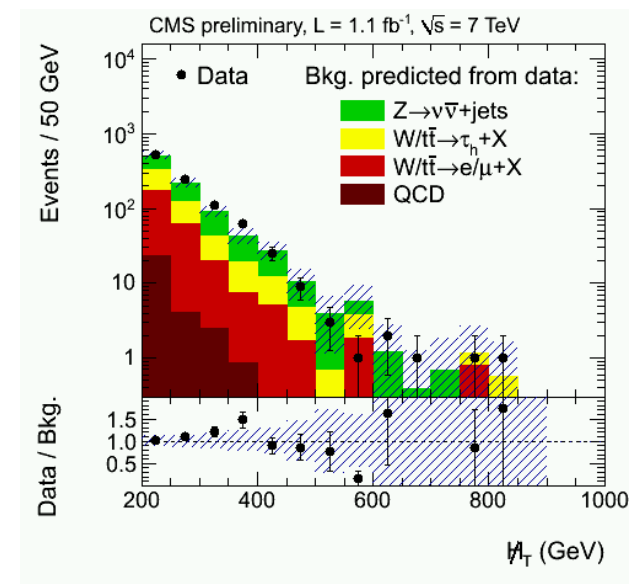
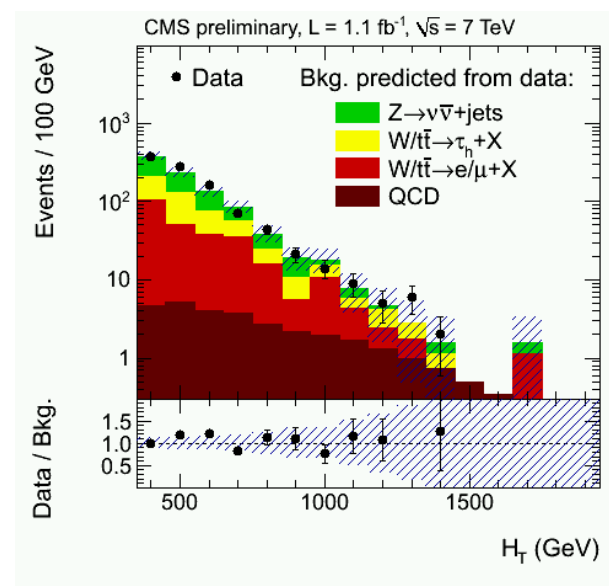
- Rebalance: get momentum imbalance reweighting jets in data
- Smear: apply jet response function to jets (tail included)

## Z( $\nu\nu$ )+jets:

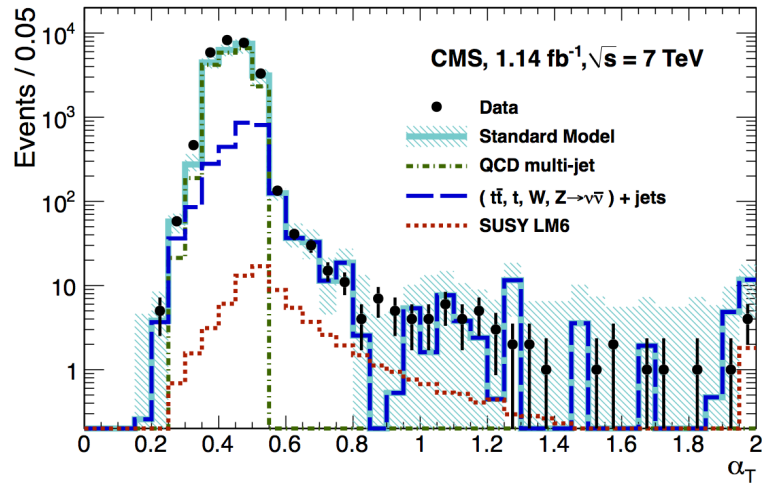
- Using  $\gamma$ +jets events as control sample
- Z( $ll$ )+jets used as cross check

## W+jets, Top:

- *Lost Lepton* technique: 1( $e/\mu$ ) control sample with  $m_T < 100$  GeV, corrected by acceptance, reco/ID/iso efficiencies.
- *Tau template*: 1( $\mu$ ) control sample, where the  $\mu$  is substituted with a response function for  $\tau^{\text{had}}$



# $\alpha_T$ (1.1/fb): definition



$\alpha_T$  variable is designed to separate events with low MET or mismeasurement from genuine events.

If  $N^{\text{jets}} > 2$ , jets are merged into 2 *pseudojets* (minimizing the  $\Delta E_T$  between them)

$$\alpha_T = \frac{1}{2} \frac{H_T - \Delta H_T}{\sqrt{H_T^2 - (MHT)^2}}$$

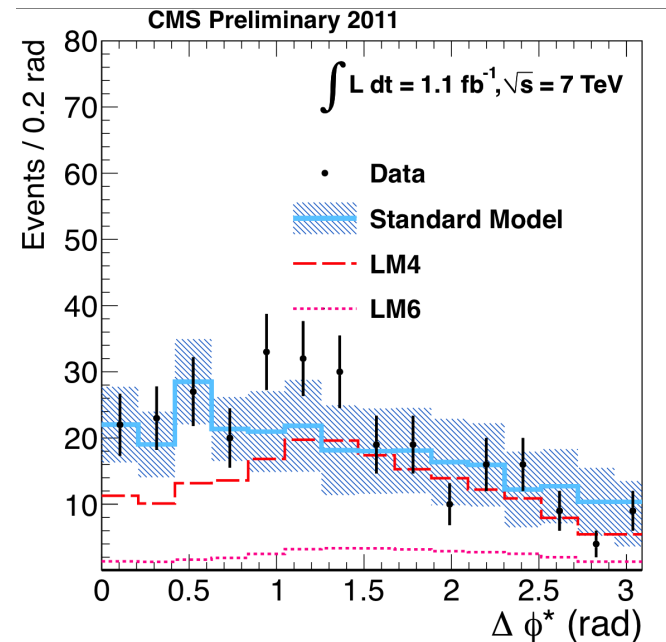
$$H_T = \sum_{\text{jets } j} p_{Tj}$$

$$\Delta H_T = p_{T\text{pseudojet 1}} - p_{T\text{pseudojet 2}}$$

Multibin approach in  $H_T$ , with 8 bins: 275-325, 325-375, then in 100 GeV steps till 875- $\infty$

## Event Selection:

- $H_T > 275$  GeV (with  $H_T/MH_T$  cross trigger)
- $p_{T}^{j1, j2} > 100$  GeV,  $|\eta| < 2.5$
- $MH_T/ME_T < 1.25$  (soft jets protection)
- $\Delta\phi^*$ : angular separation between the jet nearest to  $MH_T$  and  $MH_T$  recomputed removing that jet. Veto if  $\Delta\phi^* < 0.5$  and the jet is near a problematic ECAL channel
- $\alpha_T > 0.55$  (QCD rejection)
- Veto on isolated  $e/\mu$   $p_T > 10$  GeV



# $\alpha_T$ (1.1/fb): backgrounds

## QCD multijet:

- Checked if any significant contribution with:  $R_{\alpha_T} = \frac{\alpha_T > 0.55}{\alpha_T < 0.55}$

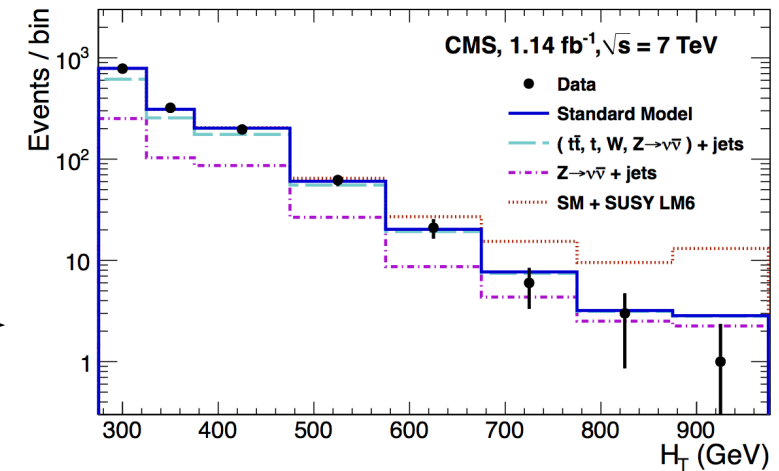
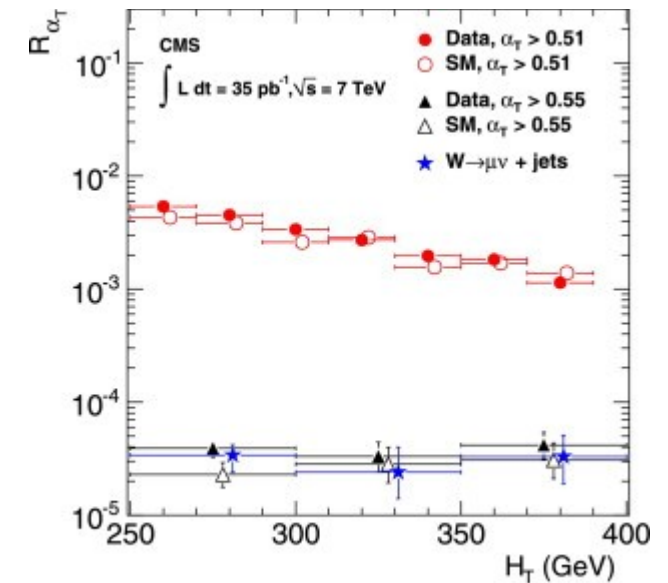
## Z( $\nu\nu$ )+jets:

- Using  $\gamma$ +jets events as control sample
- Cross check predicting events in  $1\mu$  sample

## W+jets, Top in e/ $\mu$ channels

- *Lost Lepton* technique:  $1(\mu)$  control sample, scaled by  $MC^{\text{HAD}}/MC^\mu$

Furthermore, the control samples are used as constraints for SM hypothesis test using a **Maximum Likelihood technique**

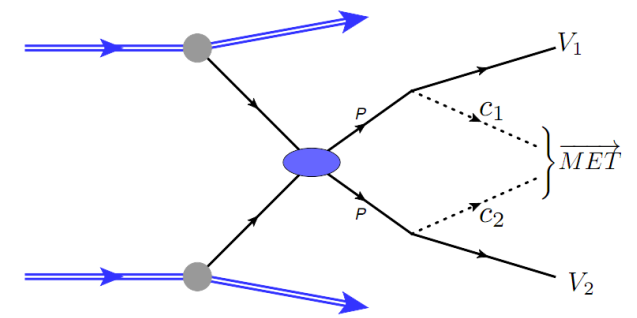


# $M_{T2}(1.1/\text{fb})$ : definition

$M_{T2}$  (or *stransverse mass*) is an extension of  $M_T$  in case of 2 decay chain with “missing particles”:

$$M_{T2}(m_c) = \min_{p_T^{c(1)} + p_T^{c(2)} = p_T^{miss}} \left[ \max \left( m_T^{(1)}, m_T^{(2)} \right) \right]$$

If  $m_c$  is known, the endpoint corresponds to  $m_p$

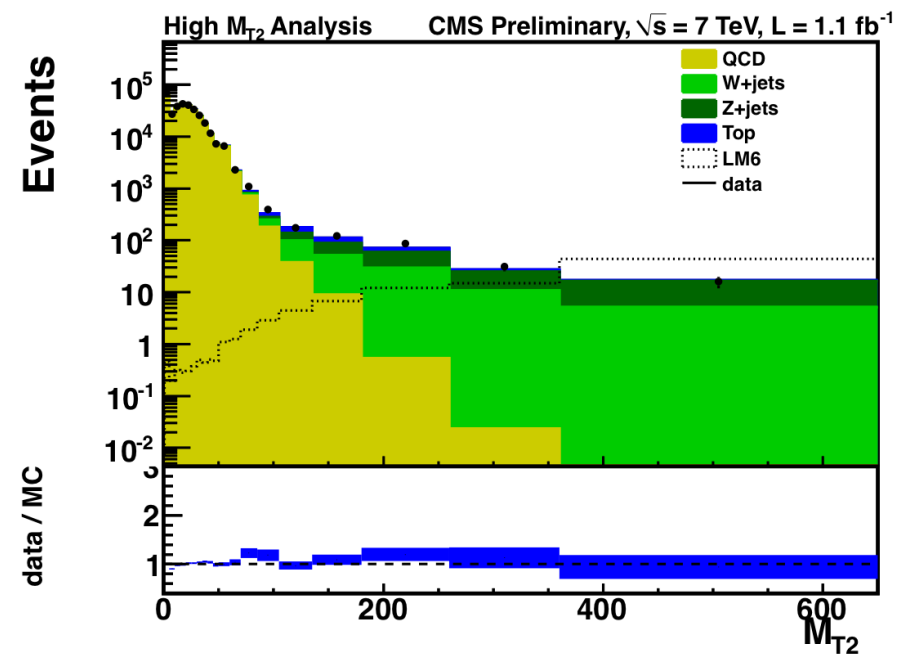


Multijet events are divided into 2 *pseudojets* with hemisphere algorithm

Simplified formula in case of no ISR, zero masses:

$$M_{T2}^2 = 2p_T^{(1)} p_T^{(2)} (1 + \cos \phi_{1,2})$$

- $M_{T2} \sim 0$  for back-to-back systems (even with mismeasurement)
- $M_{T2} < ME_T$  for asymmetric, nearly back-to-back mismeasured pseudojets
- $M_{T2} \sim ME_T$  for symmetric systems
- QCD is pushed to low  $M_{T2}$  values



# $M_{T2}(1.1/\text{fb})$ : definition

**Analysis strategy:** simple cut&count,

$M_{T2}$  spectrum divided in 3 regions:

- QCD dominated:  $M_{T2} < 80$  GeV
- SM dominated:  $200 < M_{T2} < 400$  GeV
- Signal:  $M_{T2} > 400$  GeV

**Event selection:**

- $N^{\text{jets}} > 2$ ,  $H_T > 600$  GeV,  $ME_T > 30$
- $P_T^{\text{jet}1,2} > 100$  GeV,  $|\eta| < 2.4$
- $|MH_T - ME_T| < 70$  GeV (cut on upstream transverse momentum)
- $\min\Delta\phi(\text{jet}, ME_T) > 0.3$  (protection against mismeasured jets)
- Veto on  $e/\mu$   $p_T > 10$  GeV

**Backgrounds:**

*QCD multijets*: factorization method based on functional form, fitted in QCD dominated region (contribution negligible)

*SM Backgrounds*: estimated in SM region, extrapolated to Signal region:

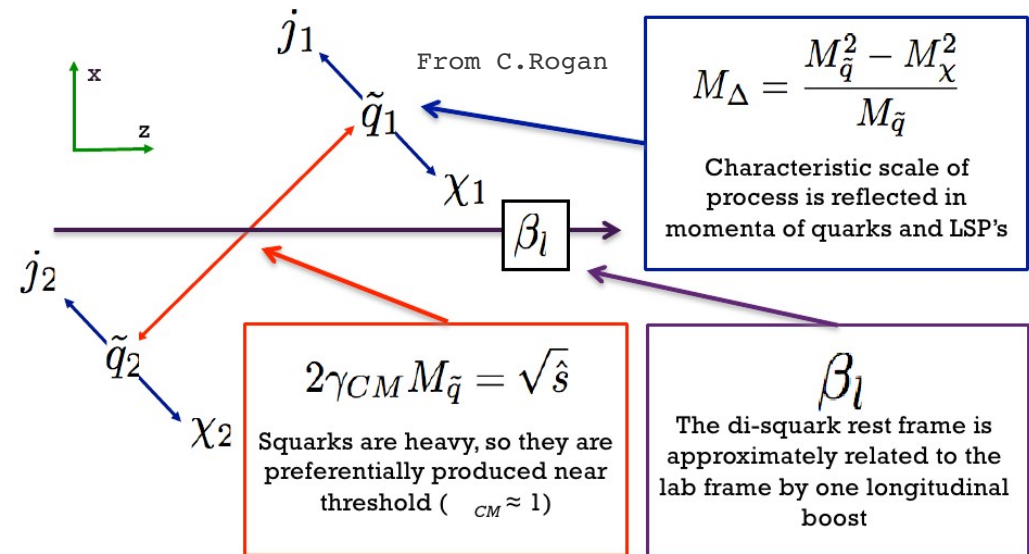
- $Z(\nu\nu)+j$ : from  $W(\mu\nu)$  sample, with b-tag veto
- $W+j$ , Top in  $e/\mu$  channels: Lost Lepton on  $e/\mu$  control samples
- $W+j$ , Top in  $\tau^{\text{had}}$  channel: MC based

# Razor (4.4/fb): definition

Razor variables approximate boosted frames with a razor frame, where visible energies are written as a scale invariant under longitudinal boosts.

$$\text{Razor boost: } \beta_L^R \equiv \frac{p_z^{j_1} + p_z^{j_2}}{E_{j_1} + E_{j_2}}$$

$$\text{Scale: } M_R \equiv \sqrt{(E_{j_1} + E_{j_2})^2 - (p_z^{j_1} + p_z^{j_2})^2}$$



A transverse observable  $M_T^R$  is also defined, whose maximum value peaks at  $M_\Delta$ :

$$M_T^R \equiv \sqrt{\frac{E_T^{miss} (p_T^{j_1} + p_T^{j_2}) - \vec{E}_T^{miss} \cdot (\vec{p}_T^{j_1} + \vec{p}_T^{j_2})}{2}}$$

The ratio of these two quantities gives a dimensionless discriminant, the *Razor R*:

$$R \equiv \frac{M_T^R}{M_R}$$

Objects are merged in 2 *pseudojets*, with hemisphere algorithm



# Razor (4.4/fb): Phenomenology

Signal is expected to have heavy scale  $M_{\Delta}$ , SM not

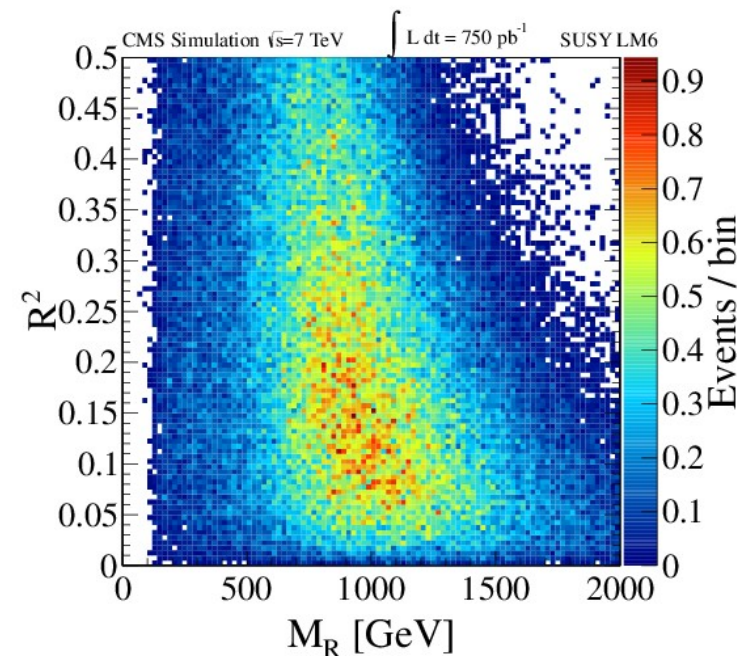
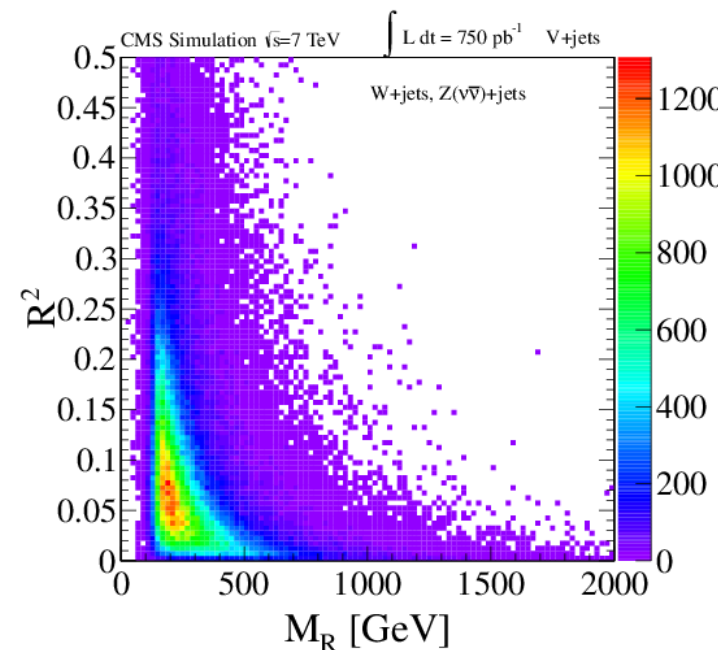
- Peak over steeply falling spectrum

For signal  $R$  has a maximum value of 1, and  $\langle R \rangle \sim 0.5$

- QCD peaks  $\sim 0$

Analysis strategy:

- On most of the  $R^2$ - $M_R$  plane, these variables have simple exponential behavior
- 2D functional forms are extracted in a set of hierarchical data samples (*boxes*): ELE-MU, MU-MU, ELE-ELE, MU, ELE, HAD
- $R^2$ - $M_R$  shape parameters are extracted in SM dominated fit regions





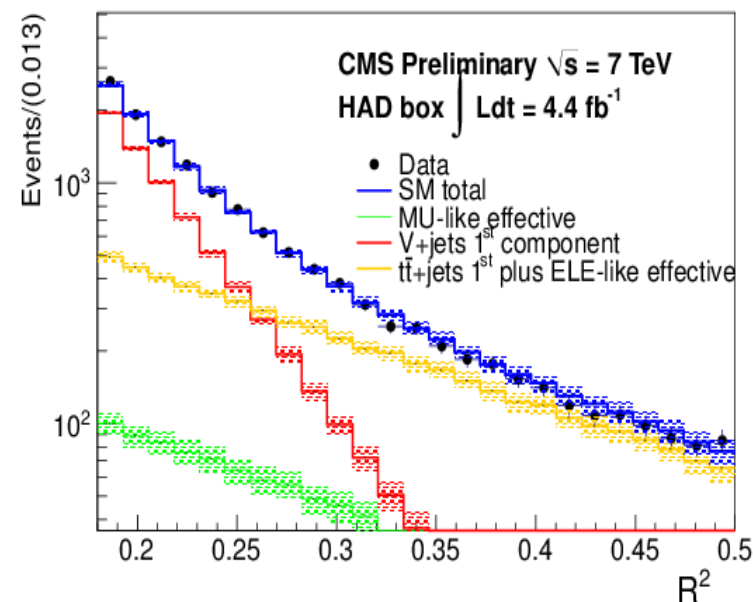
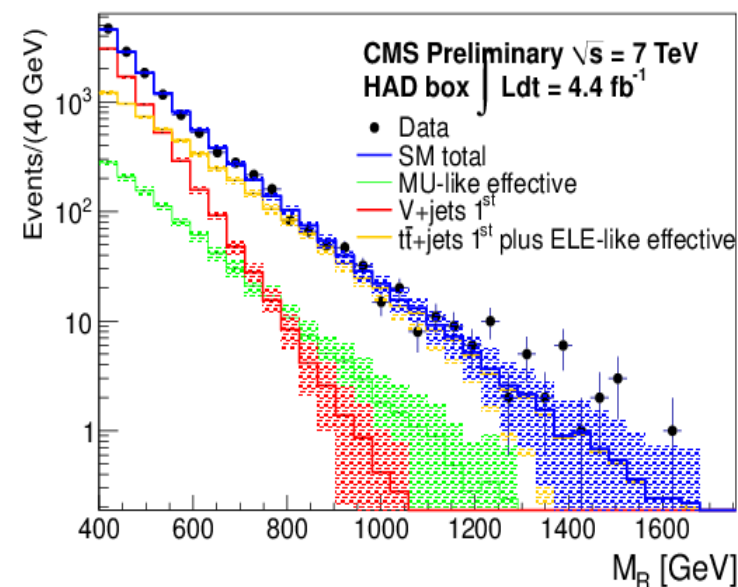
# Razor (4.4/fb): Backgrounds

Functional form for  $M_R$  for SM is a **double exponential**:

- Second component dominates high  $M_R$ , independent on the box  $\rightarrow$  associated with large ISR

Event selections:

- Triggers:
  - $\rightarrow$  Hadronic:  $>1$  jet  $p_T > 56$  GeV, moderate/tight cuts on  $R/M_R$
  - $\rightarrow$  Muon:  $>0$  muon  $p_T > 10$  GeV,  $|\eta| < 2.5$ , loose cuts on  $R/M_R$
  - $\rightarrow$  Electron:  $>0$  electron  $p_T > 10$  GeV,  $|\eta| < 2.1$ , loose cuts on  $R/M_R$
- Razor cuts:
  - $\rightarrow$  Leptonic boxes:  $M_R > 300$  GeV,  $0.11 < R^2 < 0.5$
  - $\rightarrow$  Hadronic boxes:  $M_R > 400$  GeV,  $0.18 < R^2 < 0.5$



# Exclusion Limits

## Commonalities:

- Use of hybrid frequentist  $CL_s$  estimator
- Common tools developed in the CMS community
- **Signal contamination** taken into account

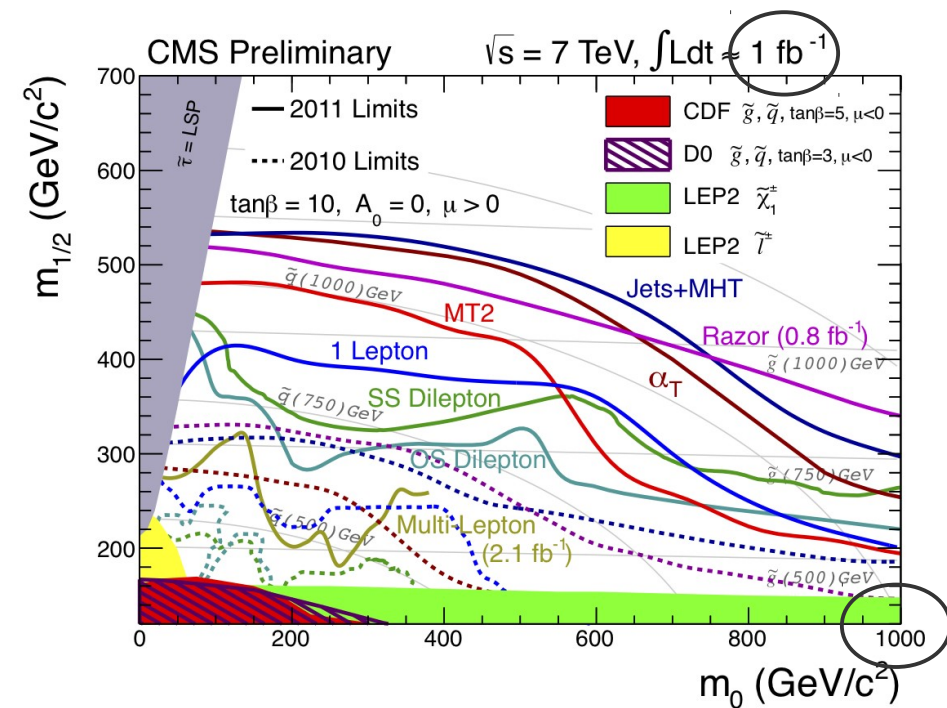
## Technicalities for mSugra scans:

- For “Summer11” analyses:
  - NLO Prospino cross-sections
  - CTEQ6 pdf/scale uncertainties
- For “Winter 2012” analyses:
  - NLO+NLLO cross sections
  - CTEQ6+MSTW pdf / scale uncertainties

## Technologies:

- $M_{T2}$ : single bin
- $MH_T$ : each bin is a statistical channel, best limit taken
- $\alpha_T$ : Maximum Likelihood SM background+Signal
- **Razor**: all the boxes considered through Maximum Likelihood

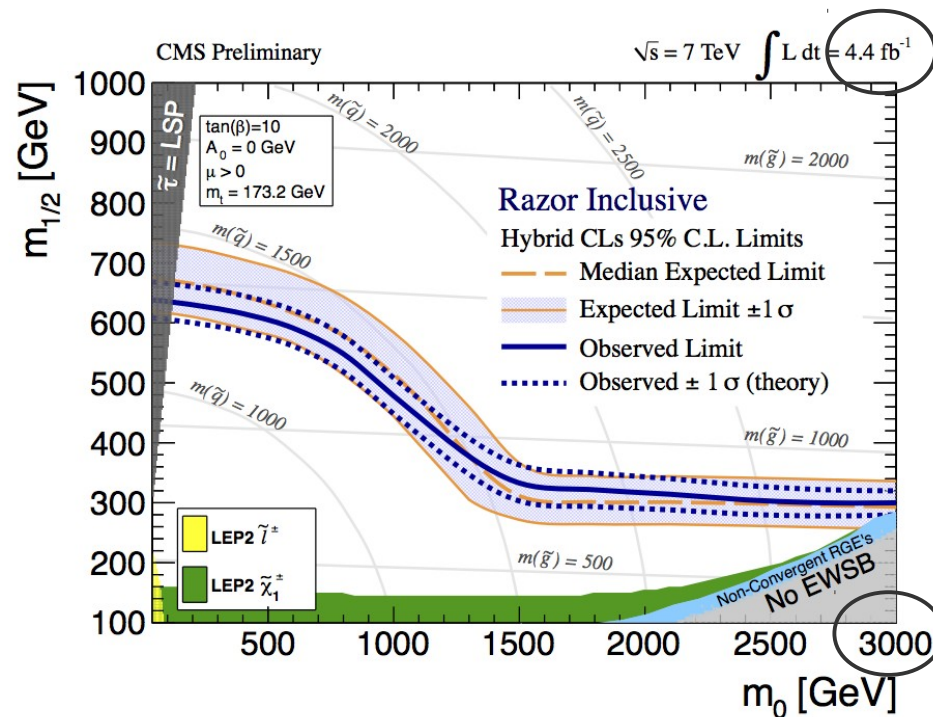
# Exclusion Limits



**Caveat:**  $M_{T2}$  limit is a combination of “ $M_{T2}$ ” (low  $m_0$ ) and “ $M_{T2}b$ ” (high  $m_0$ )

## Msugra/CMSSM:

- $\tan\beta=10$
- $A_0=0$
- $\mu>0$



# Topology based limits

Interpretation is given also in the language of **Simplified Models**

Three topologies considered (only  $MH_T$  and  $a_T$ ):

- 1)  $\widetilde{g}\widetilde{g}$  production, with  $\widetilde{g} \rightarrow qq\chi_0$
- 2)  $\widetilde{q}\widetilde{q}$  production, with  $\widetilde{q} \rightarrow q\chi_0$
- 3)  $\widetilde{g}\widetilde{g}$  production, with  $\widetilde{g} \rightarrow qqZ\chi_0$

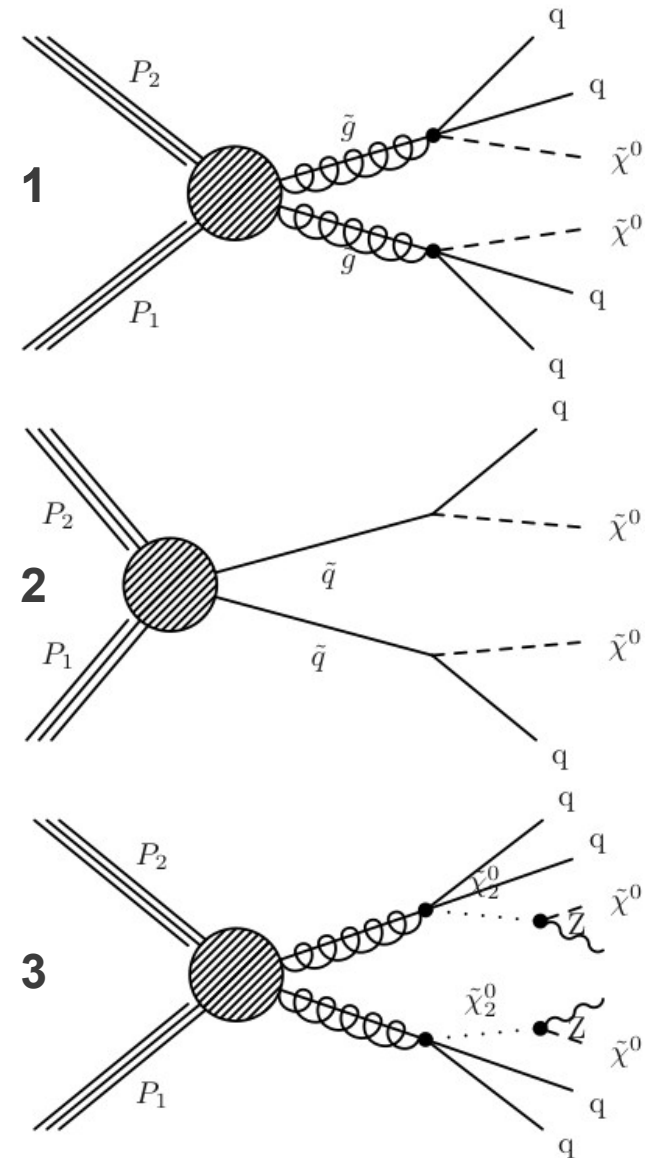
Cross sections have been computed with PROSPINO in **decoupling** regime, and branching ratios = 1

**Different mass splittings** explored

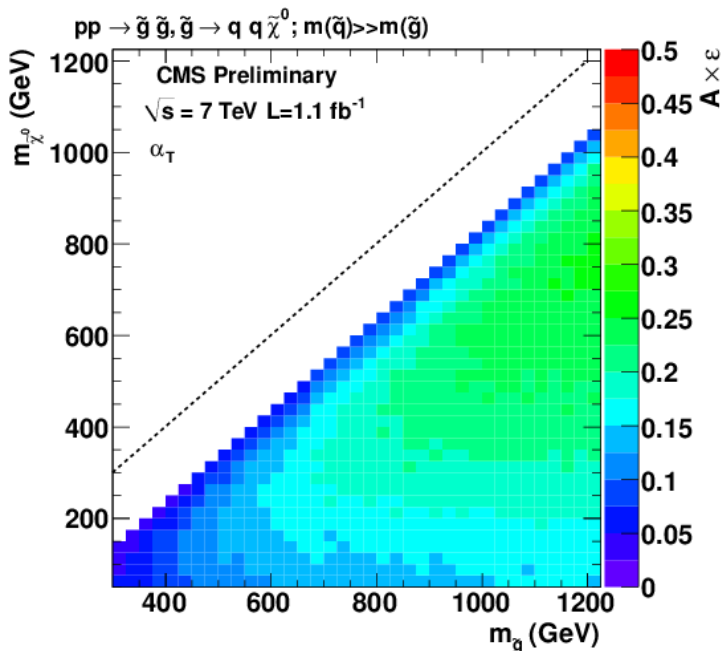
Language is SUSY, but not constrained to it

Three exclusion lines reported:

- Nominal
- With 1/3 – 3 times the cross section



# $\alpha_T$ “simplified”



Higher efficiency for higher  $\tilde{q}, \tilde{g}$  mass

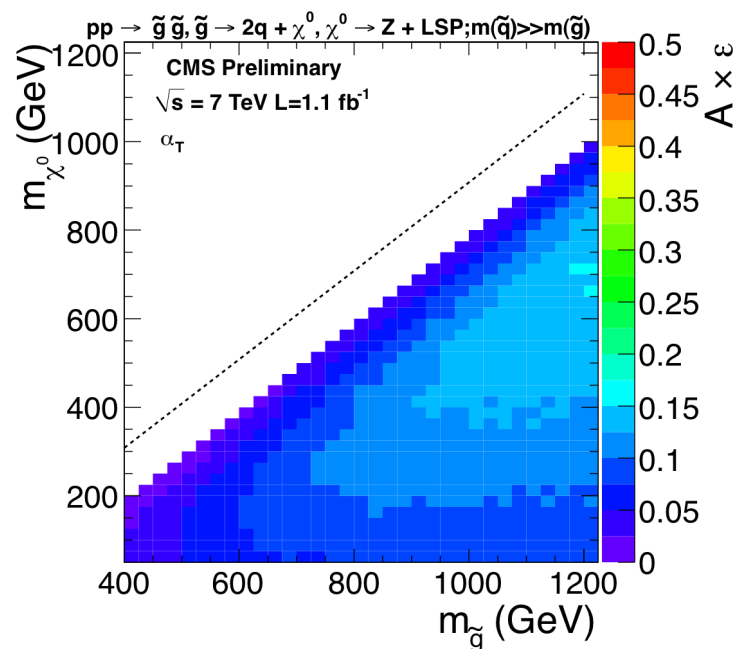
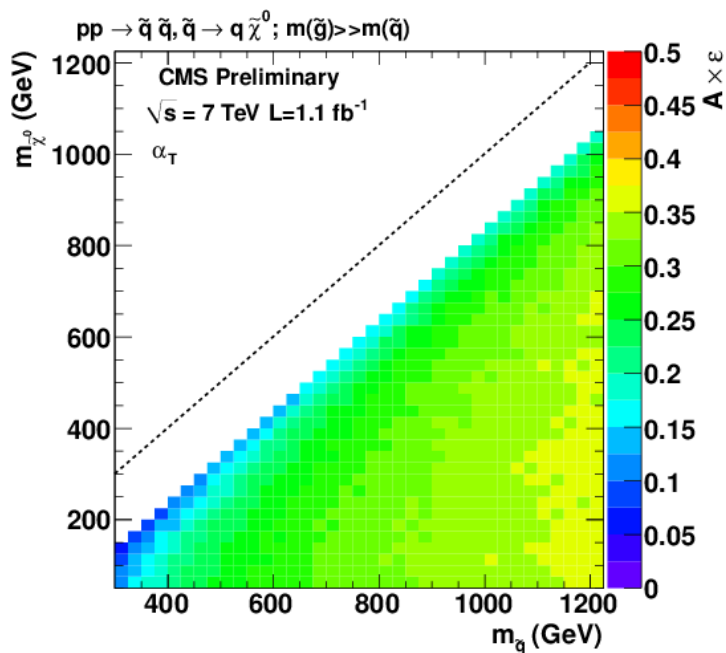
- Higher jet  $p_T$

Lower efficiency for higher jet multiplicity

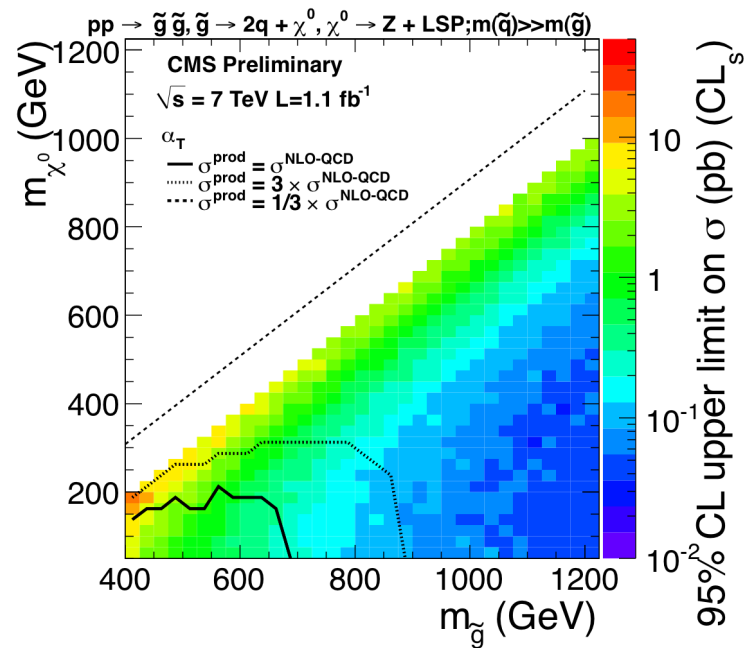
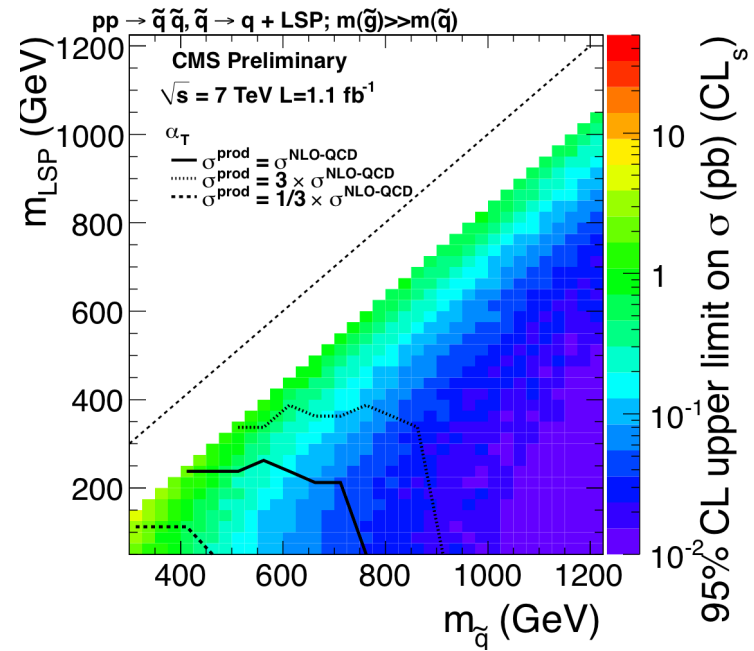
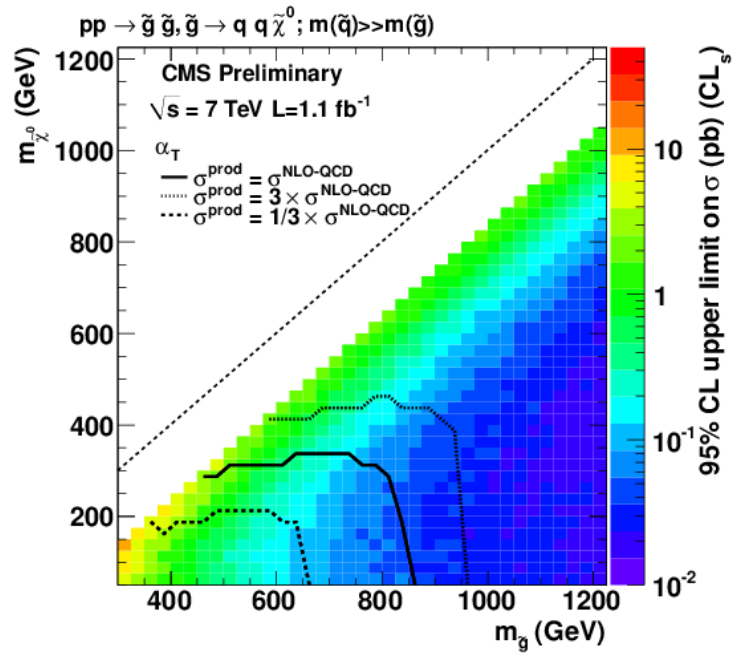
- $\alpha_T$  was initially designed for 2-jets systems

$\alpha_T$  less efficient when the visible energy increases

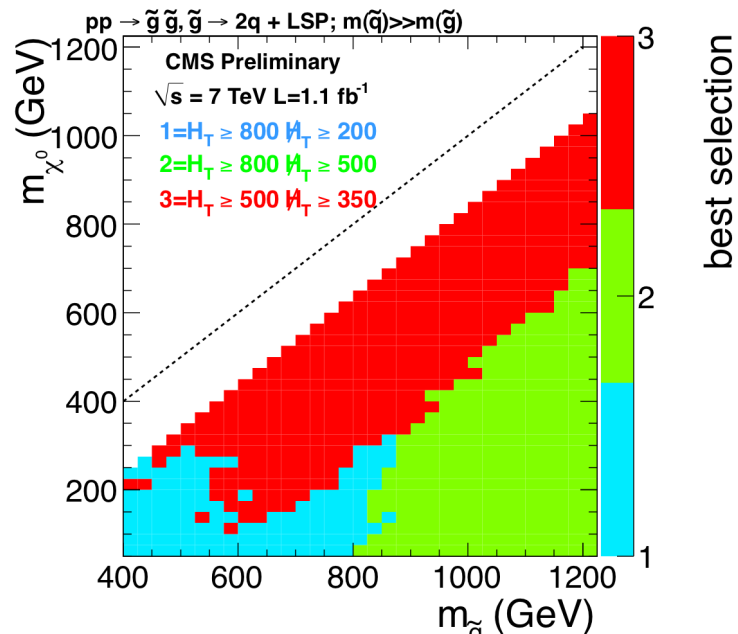
- It better explores regions where  $M_{H_T} \sim H_T$



# $\alpha_T$ “simplified”



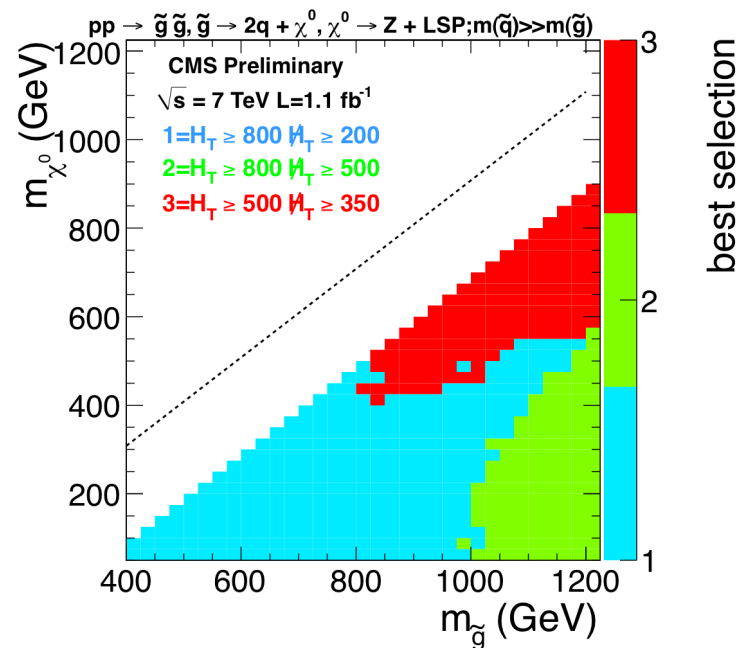
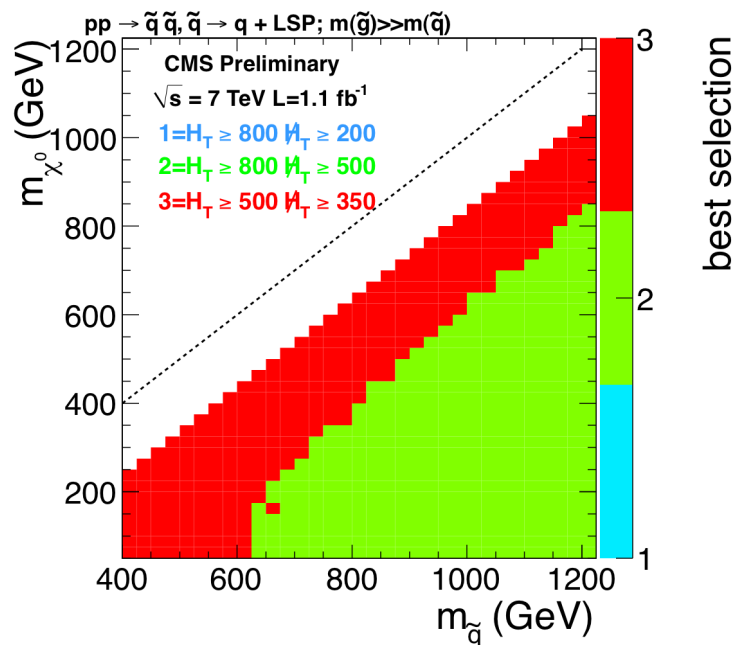
# MH<sub>T</sub> “simplified”



Medium selection (3) better performs in small mass splitting scenario

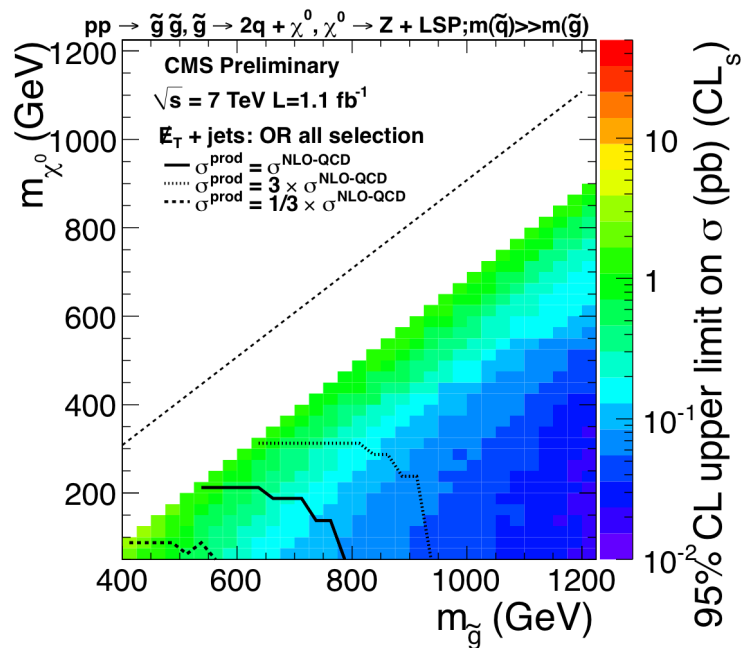
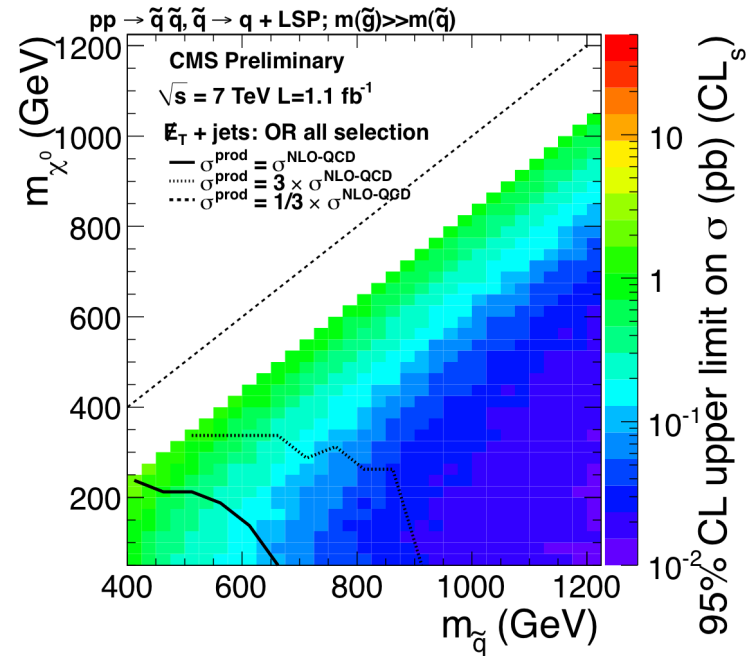
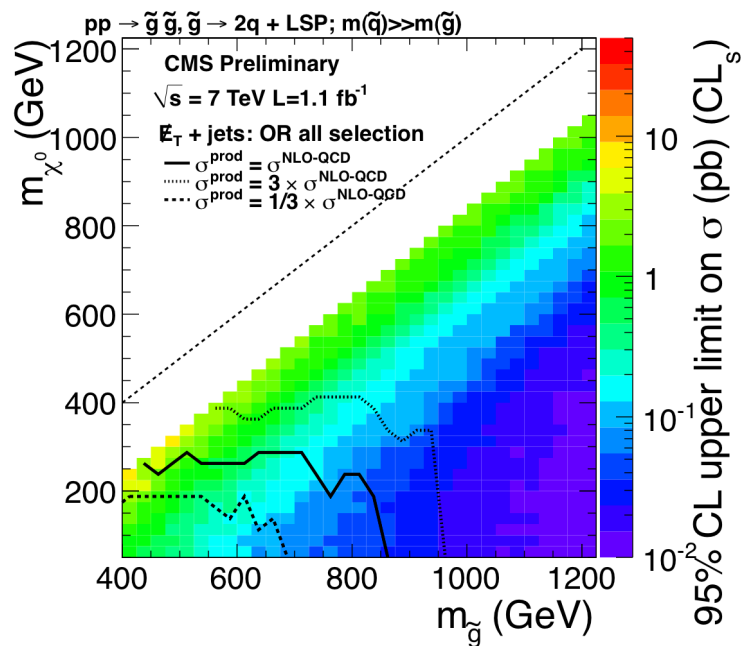
High MH<sub>T</sub> selection (2) dominates for large mass splittings

High H<sub>T</sub> selection (1) is preferred in case of longer cascades (and lot of visible energy)





# Topology based limits





**Updates** to full 2011 dataset are ongoing for  $M_{H_T}$ ,  $\alpha_T$ ,  $M_{T2}$ , with improvements wrt 1.1/fb analyses

Sensitivity to large region of the phase space, compatible results with **4 different methodologies**

- No excess seen...

Challenges ahead:

- Very **high jet multiplicity** region (e.g. high  $m_{1/2}$ )
- **Low  $M_{E_T}$**  regions (compressed spectra)
- Always improving background prediction
  - At some point, **SM rare processes** will kick in
  - Reduce possible **signal kick-in** in control regions

# References

**Detector noise:** CERN-CMS-DP-2010-025 (HCAL), CERN-CMS-DP-2011-010 and arXiv:1106.5048v1 ( $ME_T$ )

**$\gamma$ +jets for  $Z(\nu\nu)$ + jets:** Bern et al. arXiv:1106.1423v2

**$MH_T$ :** CMS PAS SUS-11-004

**$\text{Alpha}_T$ :** 10.1016/j.physletb.2011.03.021, CMS PAS SUS-11-003, Phys. Rev. Lett. 101, 221803 (original th. paper)

**$M_{T2}$ :** CMS PAS SUS-11-005, Phys. Rev. D 80, 074007 (MT2 as discovery variable)

**Razor:** CMS PAS SUS-12-005, arXiv:1006.272 (original th. Paper), “Razor for Searches at the LHC”  
C.Rogan talk at LPC Topic of the Week

**Simplified Models:** arXiv:1105.2838v1

**CMS public SUSY results:** <https://twiki.cern.ch/twiki/bin/view/CMSPublic/PhysicsResultsSUS>

**NLO QCD SUSY corrections:** Beenakker, H"opker, Spira, Zerwas arXiv:hep-ph/9610490v1

**Compressed Spectra:** LeCompte, Martin et Al. arXiv:1111.6897

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# Backup

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## Event cleaning:

- Beam scraping removal (fraction of high-quality tracks in the event was required to be greater than 25%, for events with at least ten charged-particle tracks)
- $\text{Sum}(p_T^{\text{tracks}})/H_T > 0.1$
- $\geq 1$  primary vertex
- Beam halo events removal using CSC detector information [1]
- HBHE noise removal using pulse shape and topological information
- Event charge fraction (Track sum pT / HT > 0.1)

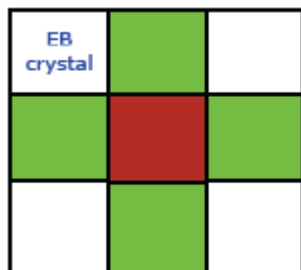
## Jet cleaning (99-99.9% efficient):

- PF Jets:  $\text{NHF} < 0.99$ ,  $\text{NEM} < 0.99$ ,  $\text{NConstituents} > 1$ 
  - For eta > 2.4:  $\text{CHF} > 0$ ,  $\text{Charged Multiplicity} > 1$ ,  $\text{CEF} < 0.99$
- Calo Jets:  $\text{Number hits } 90\% \text{ Energy} > 1$ ,  $\text{HBHE} > 0.01$ ,  $\text{fHPD} < 0.98$

# ECAL noise

In a small fraction of events, anomalous energy deposits in ECAL with:

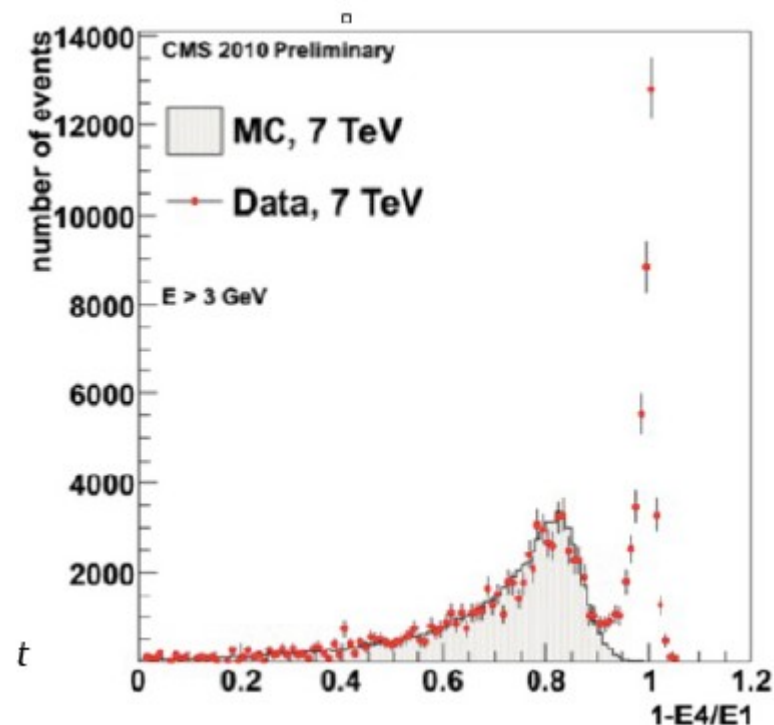
- Distinct pulse shape
- Different timing
- Single crystal
- Only in the barrel



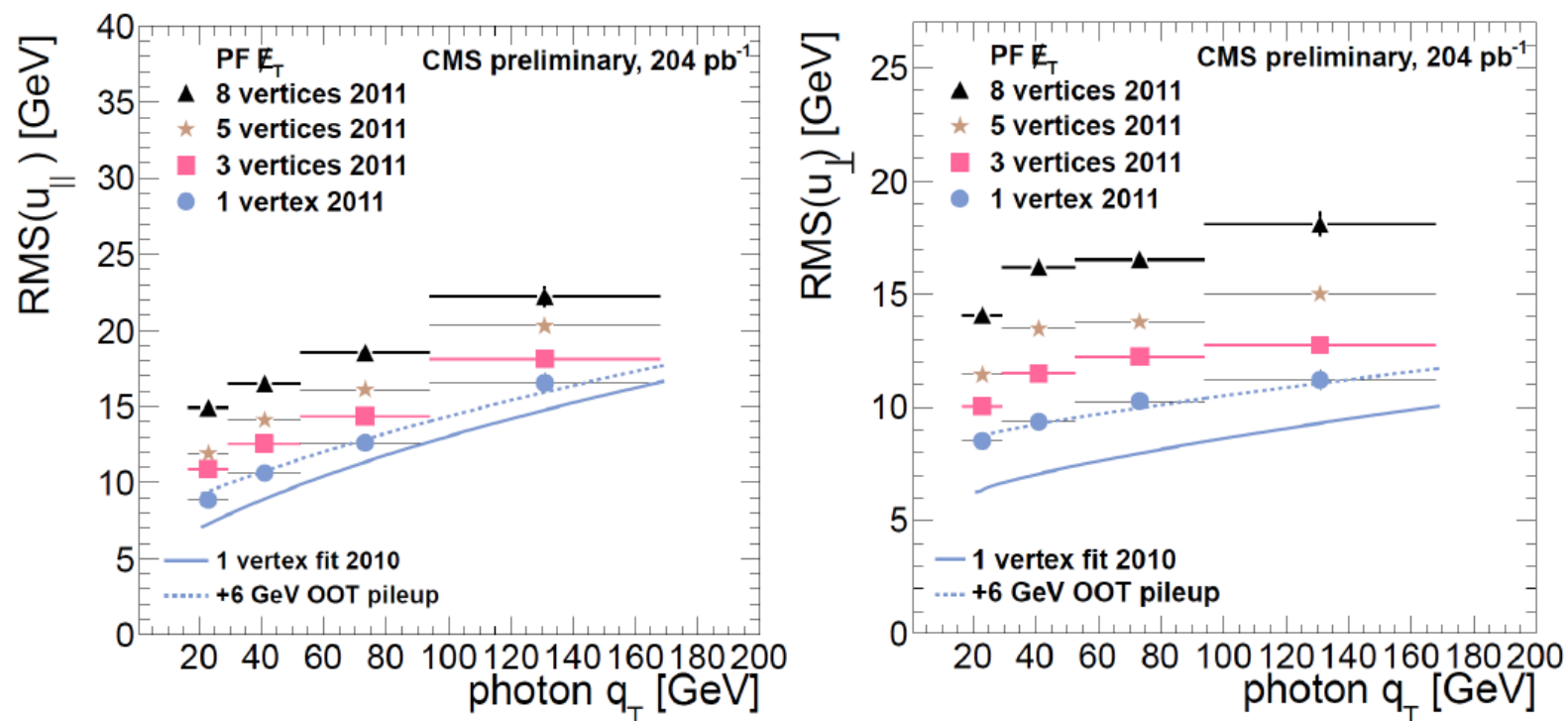
Identified as highly ionizing particles hitting the APD (in the endcap different electronics)

Identified by:

- Ratio between energy in single crystal and 4 neighbours crystals ( $E_4/E_1$ )
- Pulse shapes

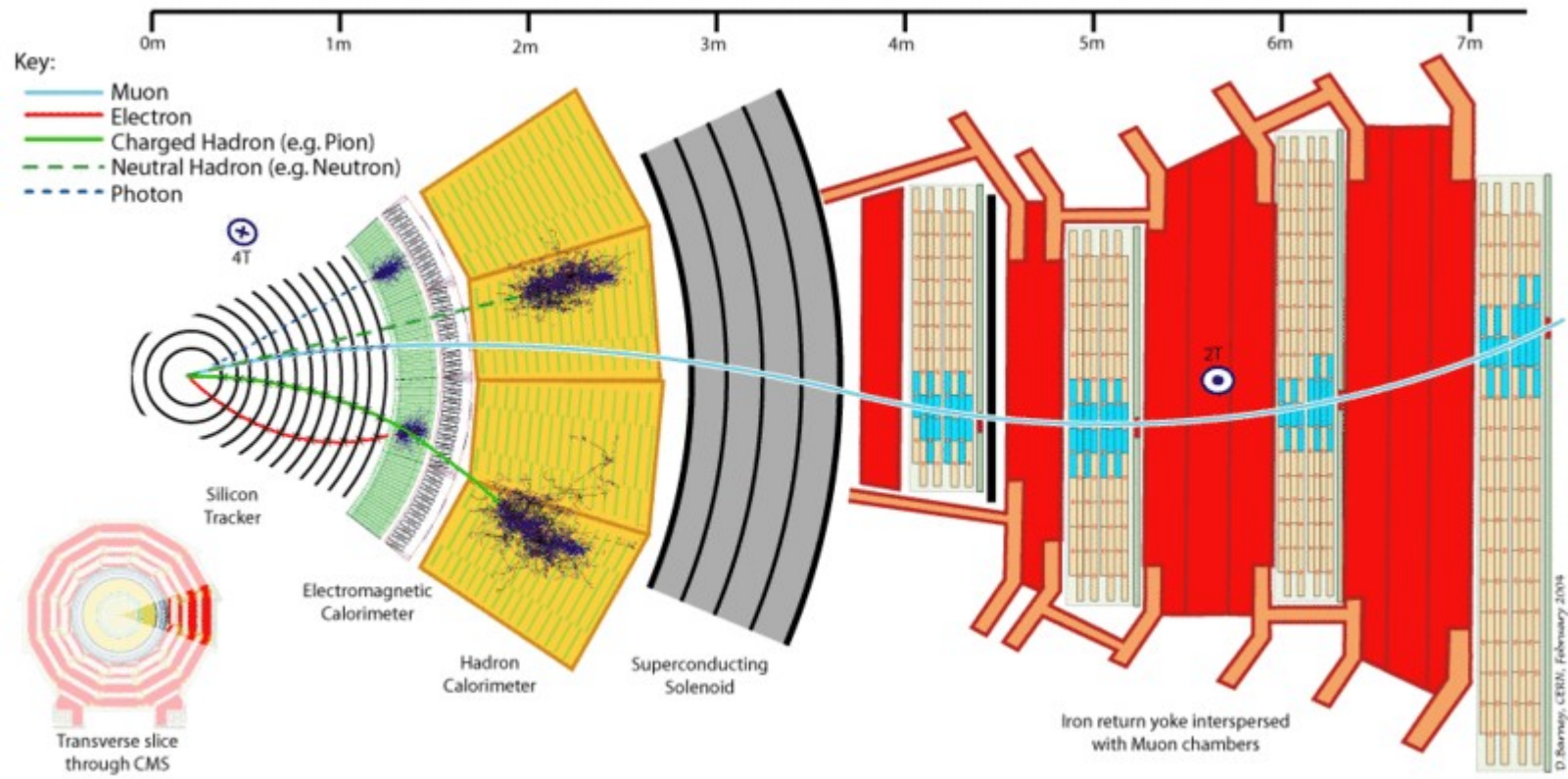


## MET in Photon+Jet Events

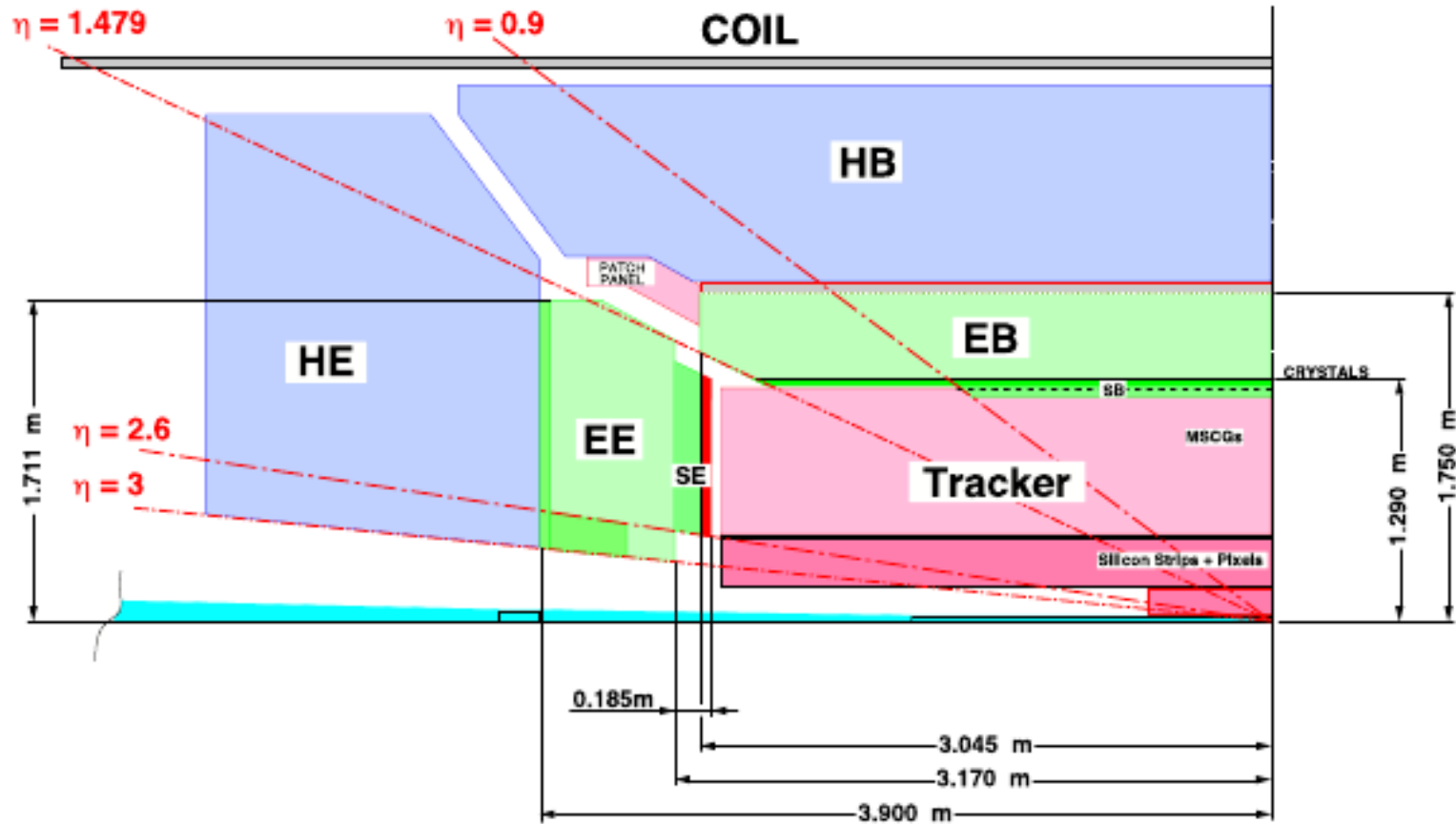


- The resolution degrades with increasing # of vertices as expected
- Even at 1 vertex, the resolution is degraded in 2011 by ~6 GeV in quadrature compared to the 2010 due to out-of-time pileup
- Work in progress to mitigate the pileup effects in MET reconstruction and to understand the slight worsening of MET resolution in 2011

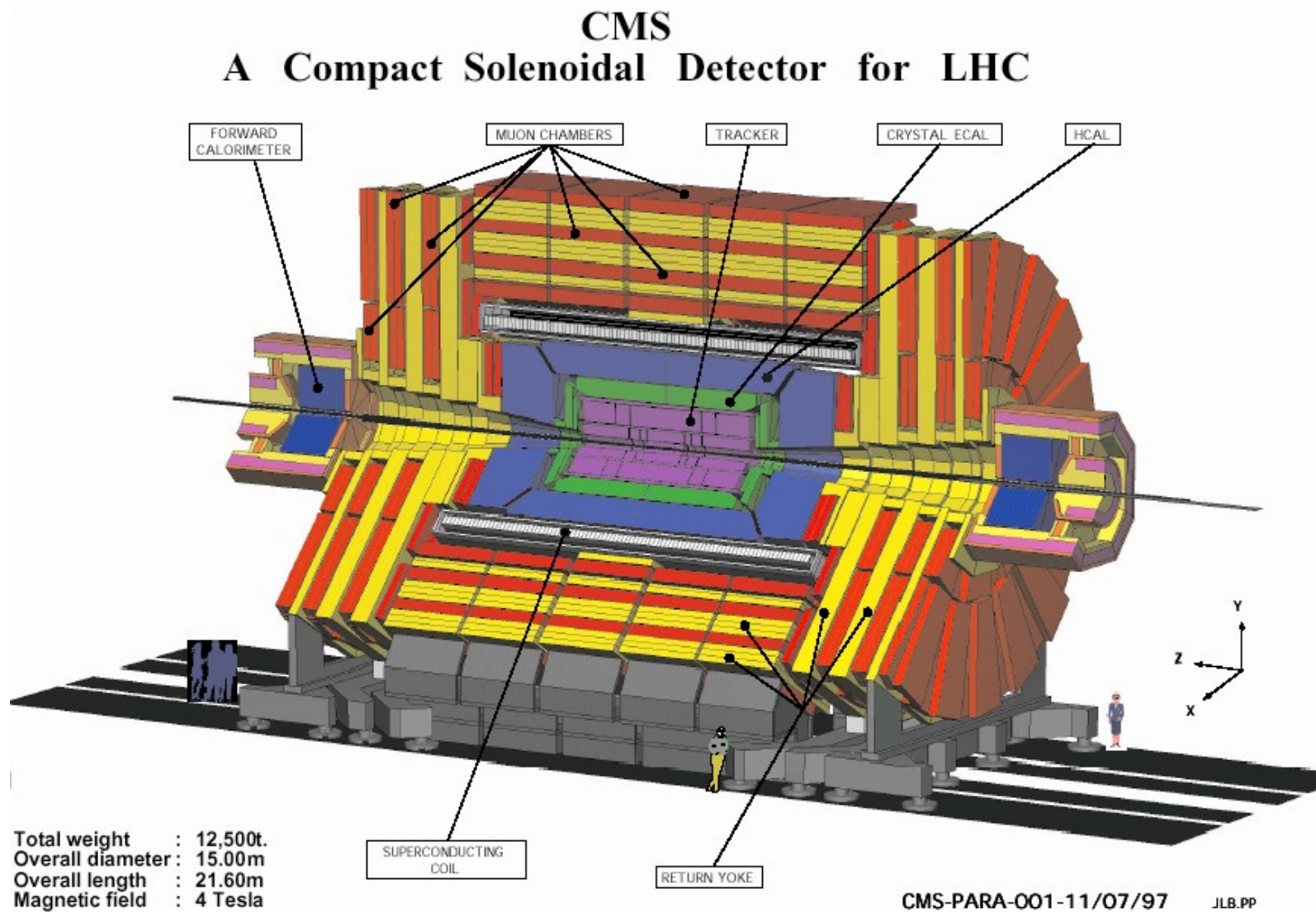
# CMS – Slice



# CMS – Inner part



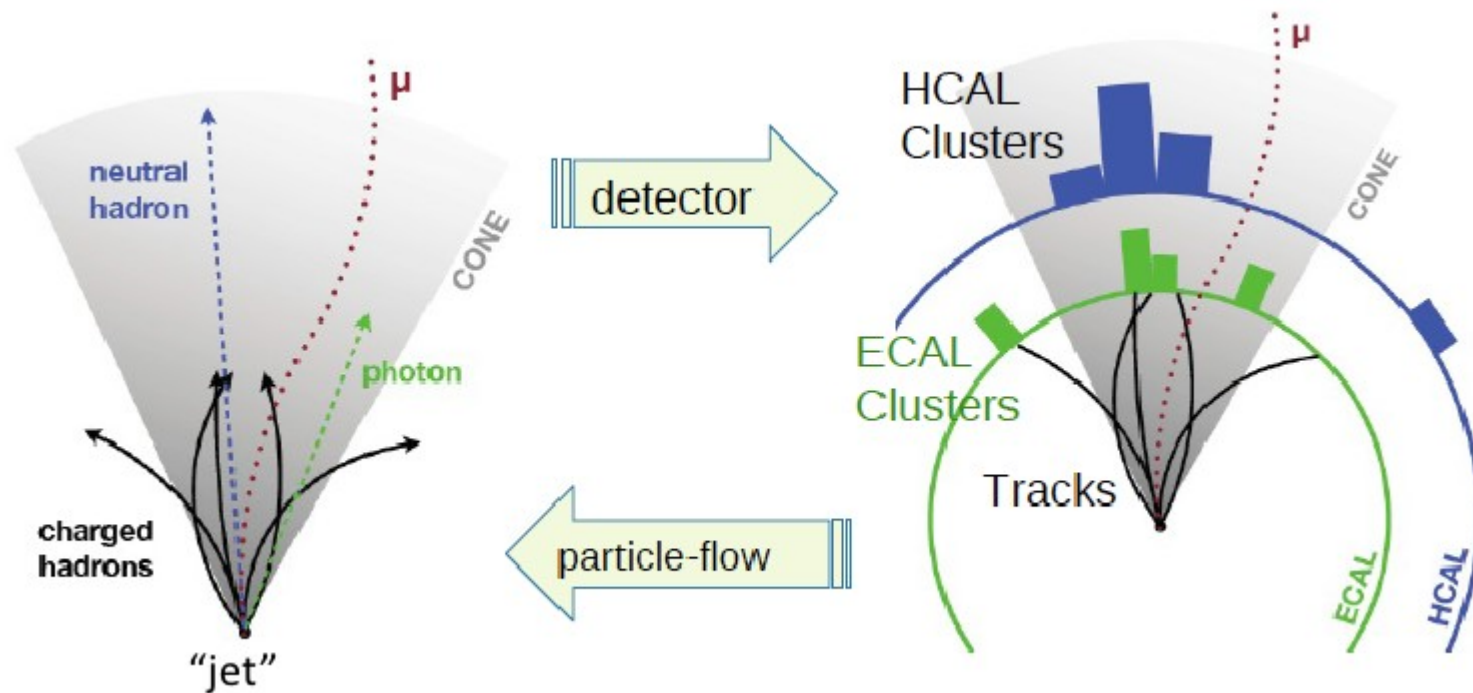




# Particle Flow

A different approach in reconstruction:

- Information from different subdetectors is used to identify *candidates*
- Higher level objects (jets, electrons...) are built up from these candidates
- Corrections are *candidate based*



# Hemispheres

Same idea, slightly different measures for grouping jets:

- *Razor*: minimal squared masses of both hemispheres

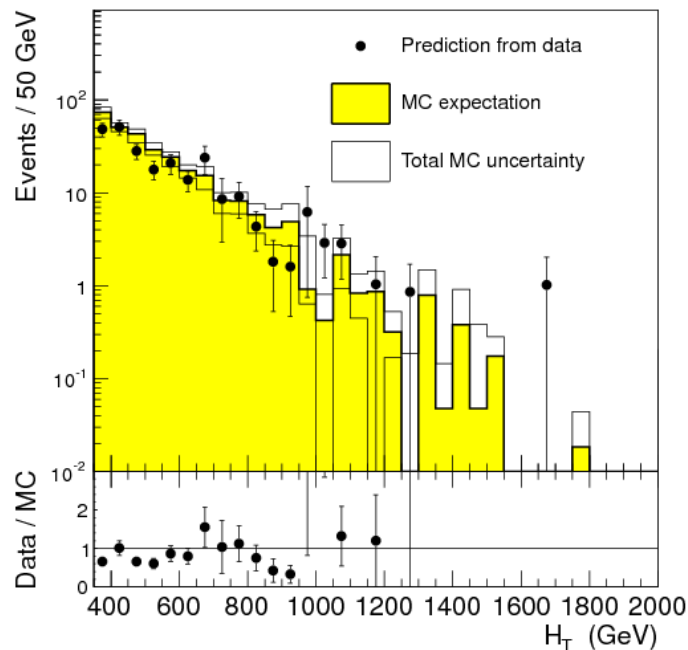
$$m_{ik}^2 + m_j^2 \leq m_i^2 + m_{jk}^2 \longrightarrow (E_i - p_i \cos \theta_{ik}) \leq (E_j - p_j \cos \theta_{jk})$$

- $M_{T2}$ : minimal Lund distance:  $(E_i - p_i \cos \theta_{ik}) \frac{E_i}{(E_i + E_k)^2}$

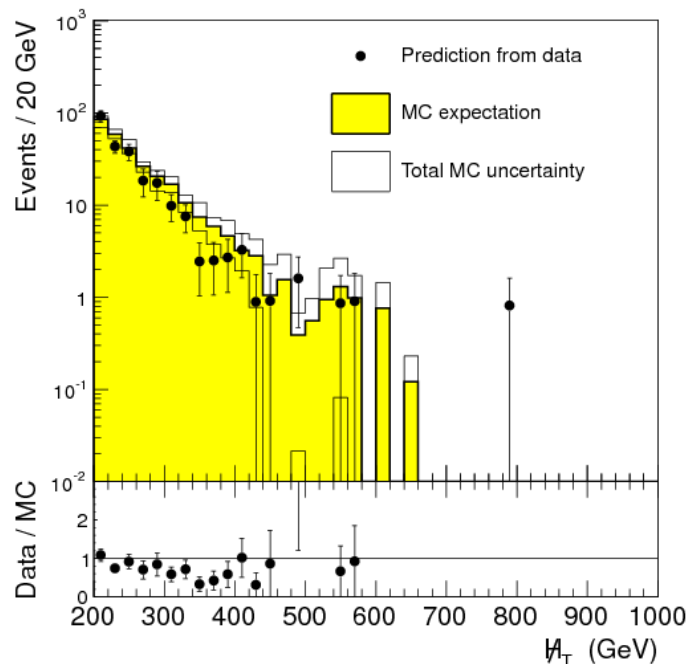
- $\alpha_T$ :  $\Delta H_T$  balance (minimal  $\Delta E_T$  between the two jets)

## Lost Lepton Prediction

CMS Preliminary, L = 1.1 fb<sup>-1</sup>, √s = 7 TeV

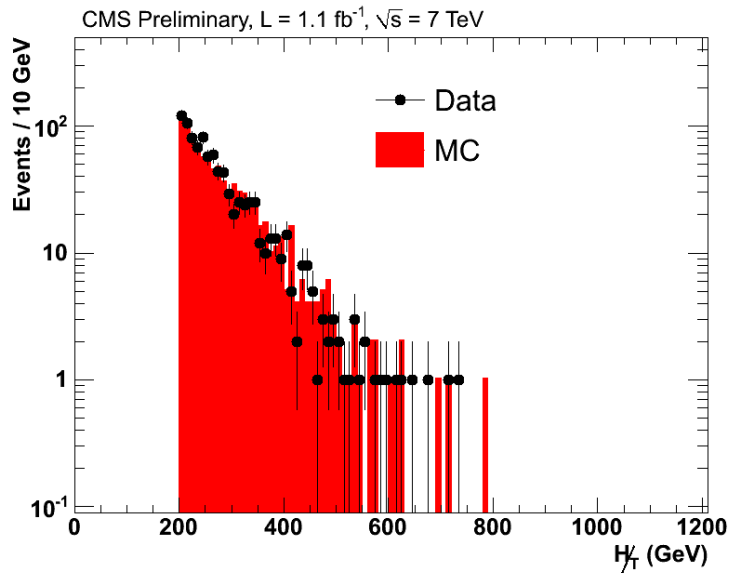
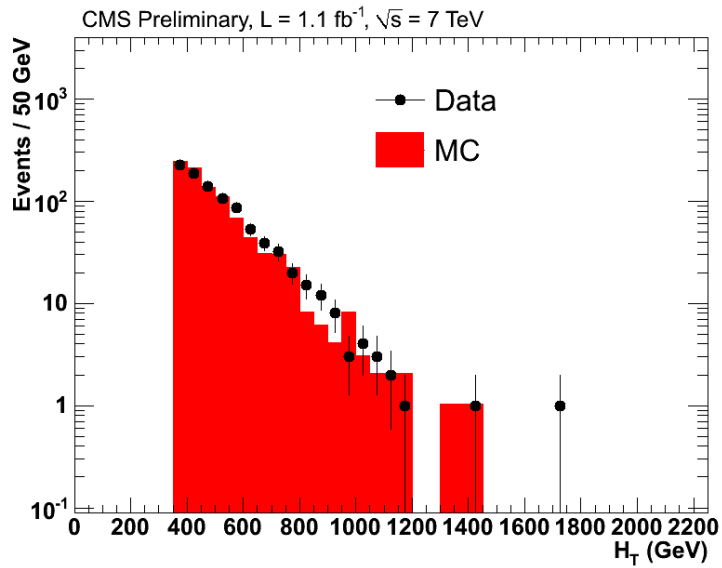


CMS Preliminary, L = 1.1 fb<sup>-1</sup>, √s = 7 TeV

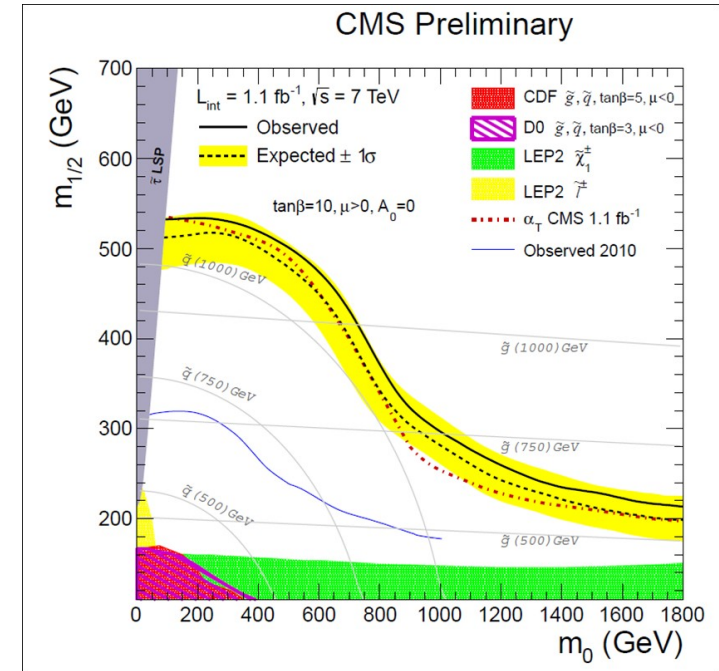


	Baseline ( $H_T > 350$ GeV) ( $\#H_T > 200$ GeV)	Medium ( $H_T > 500$ GeV) ( $\#H_T > 350$ GeV)	High $H_T$ ( $H_T > 800$ GeV) ( $\#H_T > 200$ GeV)	High $\#H_T$ ( $H_T > 800$ GeV) ( $\#H_T > 500$ GeV)
$Z \rightarrow \nu\bar{\nu}$ from $\gamma$ +jets	$376 \pm 12 \pm 79$	$42.6 \pm 4.4 \pm 8.9$	$24.9 \pm 3.5 \pm 5.2$	$2.4 \pm 1.1 \pm 0.5$
$t\bar{t}/W \rightarrow e, \mu + X$	$244 \pm 20^{+30}_{-31}$	$12.7 \pm 3.3 \pm 1.5$	$22.5 \pm 6.7^{+3.0}_{-3.1}$	$0.8 \pm 0.8 \pm 0.1$
$t\bar{t}/W \rightarrow \tau_h + X$	$263 \pm 8 \pm 7$	$17 \pm 2 \pm 0.7$	$18 \pm 2 \pm 0.5$	$0.73 \pm 0.73 \pm 0.04$
QCD	$31 \pm 35^{+17}_{-6}$	$1.3 \pm 1.3^{+0.6}_{-0.4}$	$13.5 \pm 4.1^{+7.3}_{-4.3}$	$0.09 \pm 0.31^{+0.05}_{-0.04}$
Total background	$928 \pm 103$	$73.9 \pm 11.9$	$79.4 \pm 12.2$	$4.6 \pm 1.5$
Observed in data	986	78	70	3

## Photon control sample

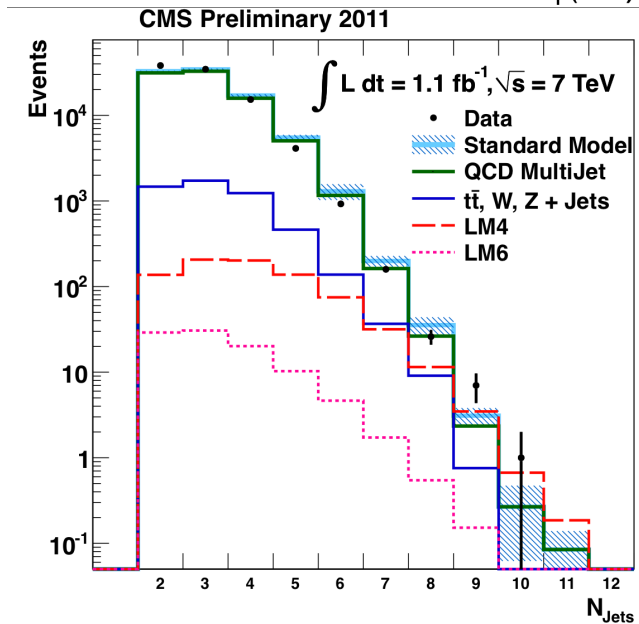
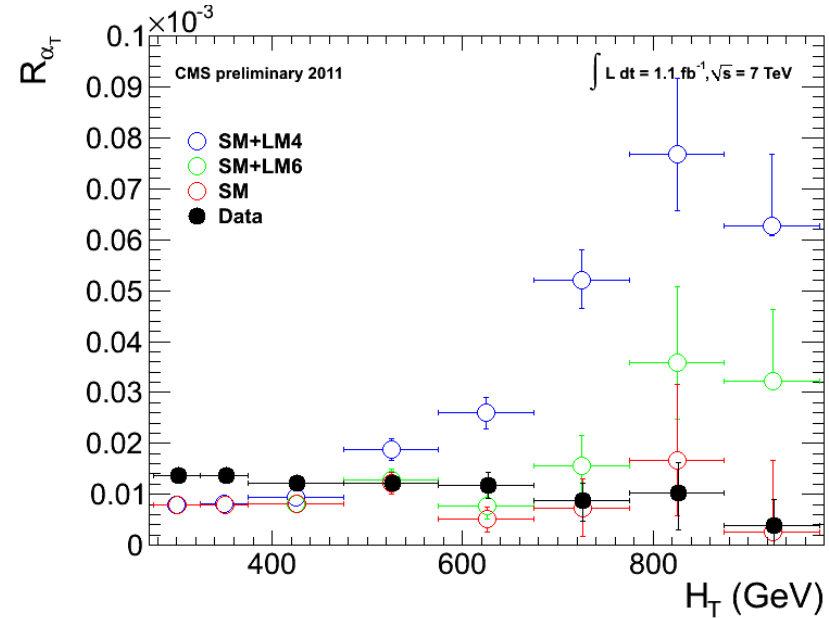
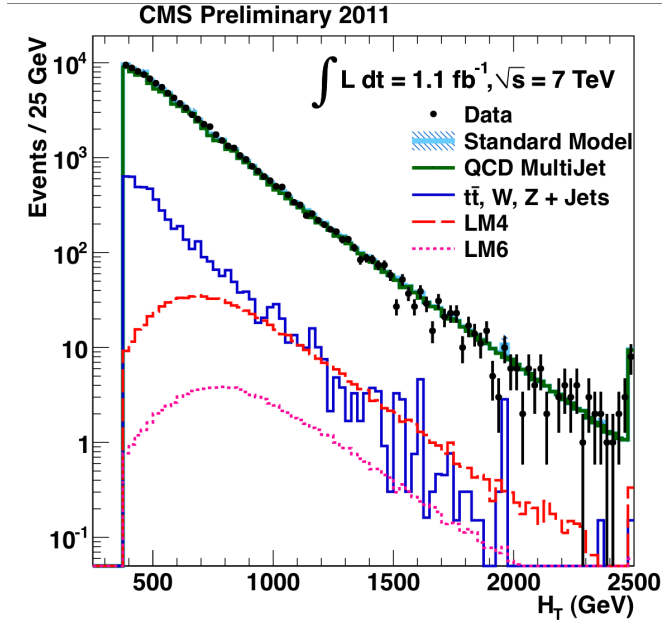


## mSugra exclusion



# $\alpha_T$ material

Control plots for  $H_T \geq 375$  GeV and  $M_{H_T} > 100$  GeV, before  $\alpha_T$  cuts

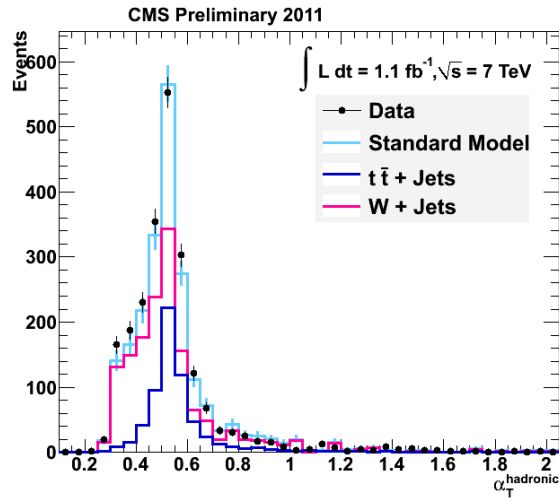


$$\alpha_T = \frac{E_T^{\text{jet}_2}}{M_T} = \frac{E_T^{\text{jet}_2}}{\sqrt{\left(\sum_{i=1}^2 E_T^{\text{jet}_i}\right)^2 - \left(\sum_{i=1}^2 p_x^{\text{jet}_i}\right)^2 - \left(\sum_{i=1}^2 p_y^{\text{jet}_i}\right)^2}}$$

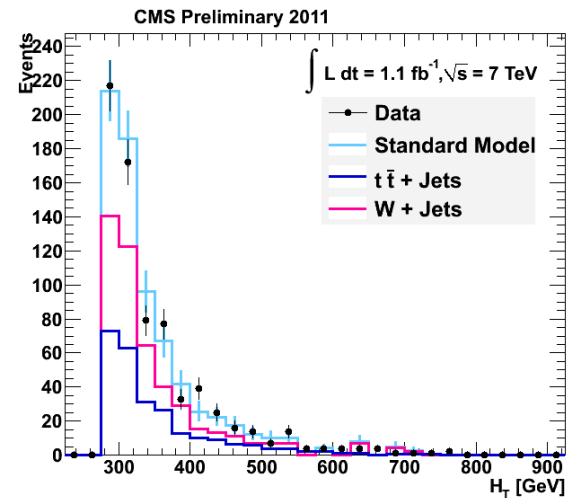
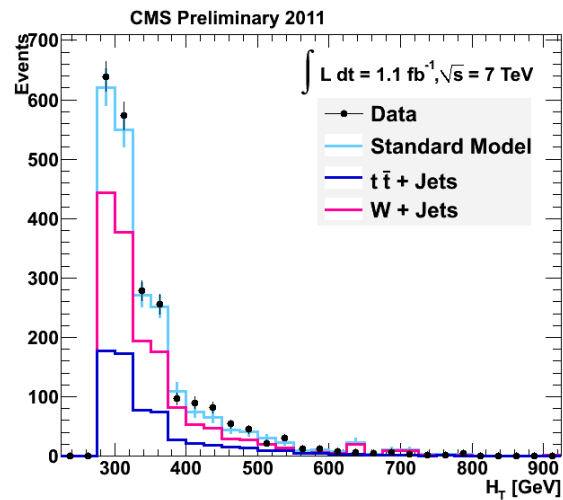
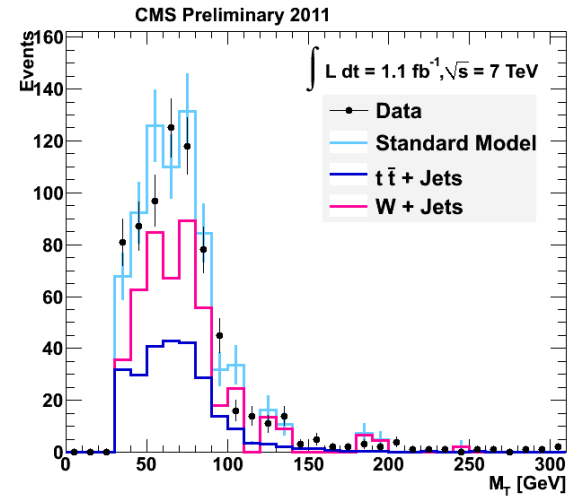
$$\alpha_T = \frac{1}{2} \frac{H_T - \Delta H_T}{\sqrt{H_T^2 - (M_{HT})^2}} \quad \begin{aligned} H_T &= \sum_{\text{jets } j} p_{Tj} \\ \Delta H_T &= p_{T\text{pseudojet } 1} - p_{T\text{pseudojet } 2} \end{aligned}$$

Muon control plots for  $H_T \geq 375$  GeV and  $M_{H_T} > 100$  GeV

Before  $\alpha_T$  cuts



After  $\alpha_T$  cuts

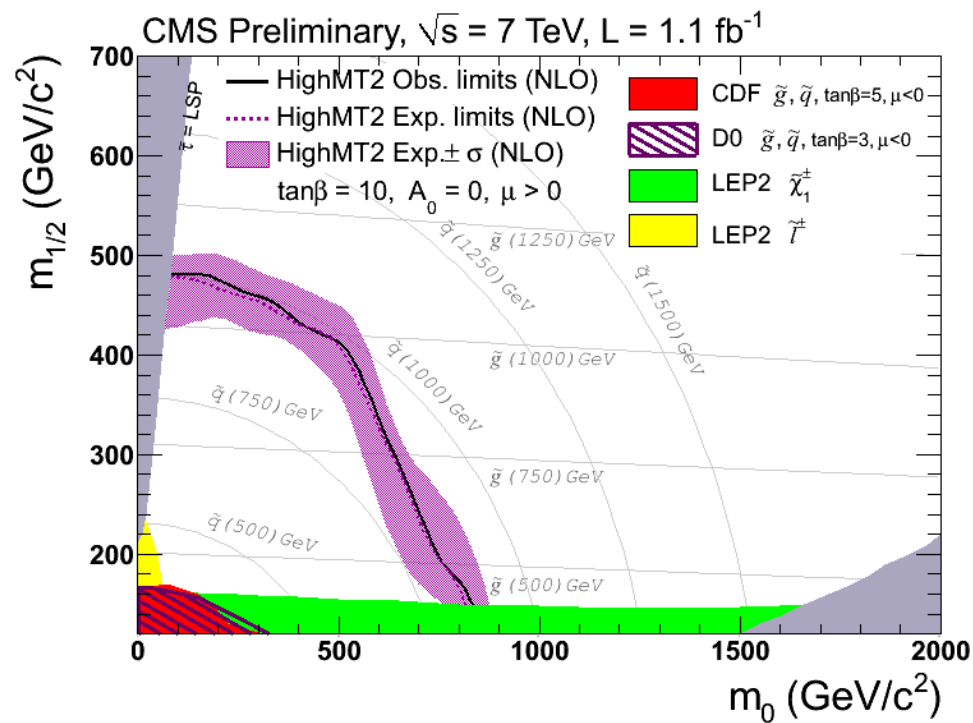
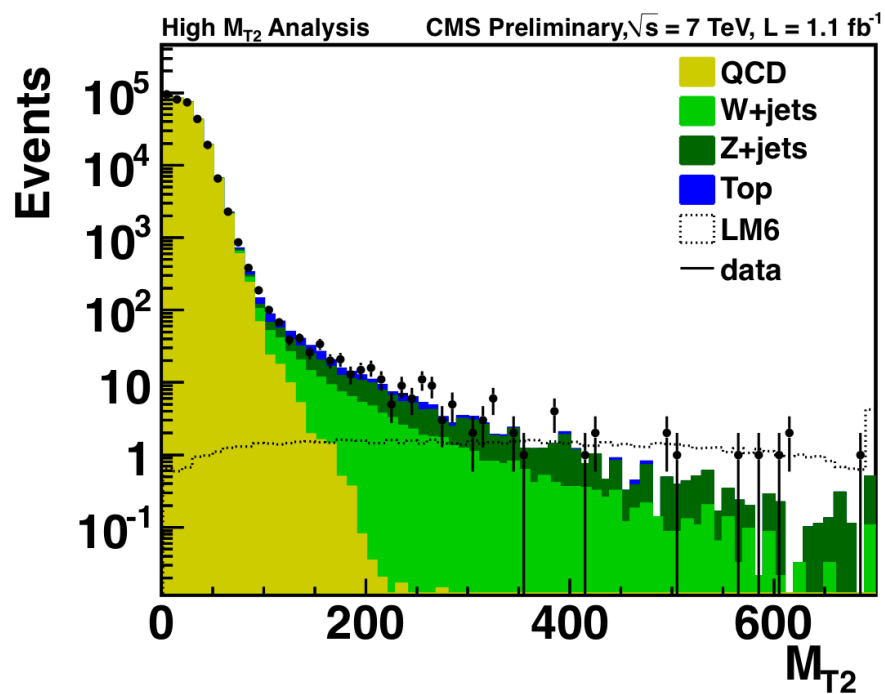


$H_T$ Bin (GeV)	275–325	325–375	375–475	475–575
W + $t\bar{t}$ background	363.7	152.2	88.9	28.8
Z $\rightarrow \nu\bar{\nu}$ background	251.4	103.1	86.4	26.6
QCD background	172.4	55.1	26.9	5.0
Total Background	787.4	310.4	202.1	60.4
Data	782	321	196	62
$H_T$ Bin (GeV)	575–675	675–775	775–875	875– $\infty$
W + $t\bar{t}$ background	10.6	3.1	0.6	0.6
Z $\rightarrow \nu\bar{\nu}$ background	8.7	4.3	2.5	2.2
QCD background	1.0	0.2	0.1	0.0
Total Background	20.3	7.7	3.2	2.9
Data	21	6	3	1



# MT2 material (?)

$$Bkgd(M_{T2} \geq 400\text{GeV}) = 12.6 \pm 1.3 \pm 3.5 \text{ events}$$



## Boxes definition

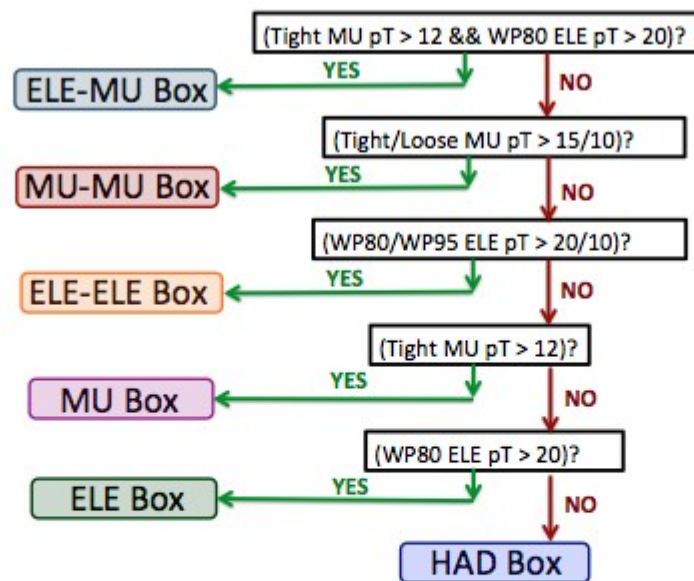


Figure 1: Flow diagram of box classification logic. The box selection proceeds according to a box hierarchy in order to ensure complete orthogonality of box selections and to resolve ambiguities when an event satisfies more than one box's selection criteria.

## QCD control box

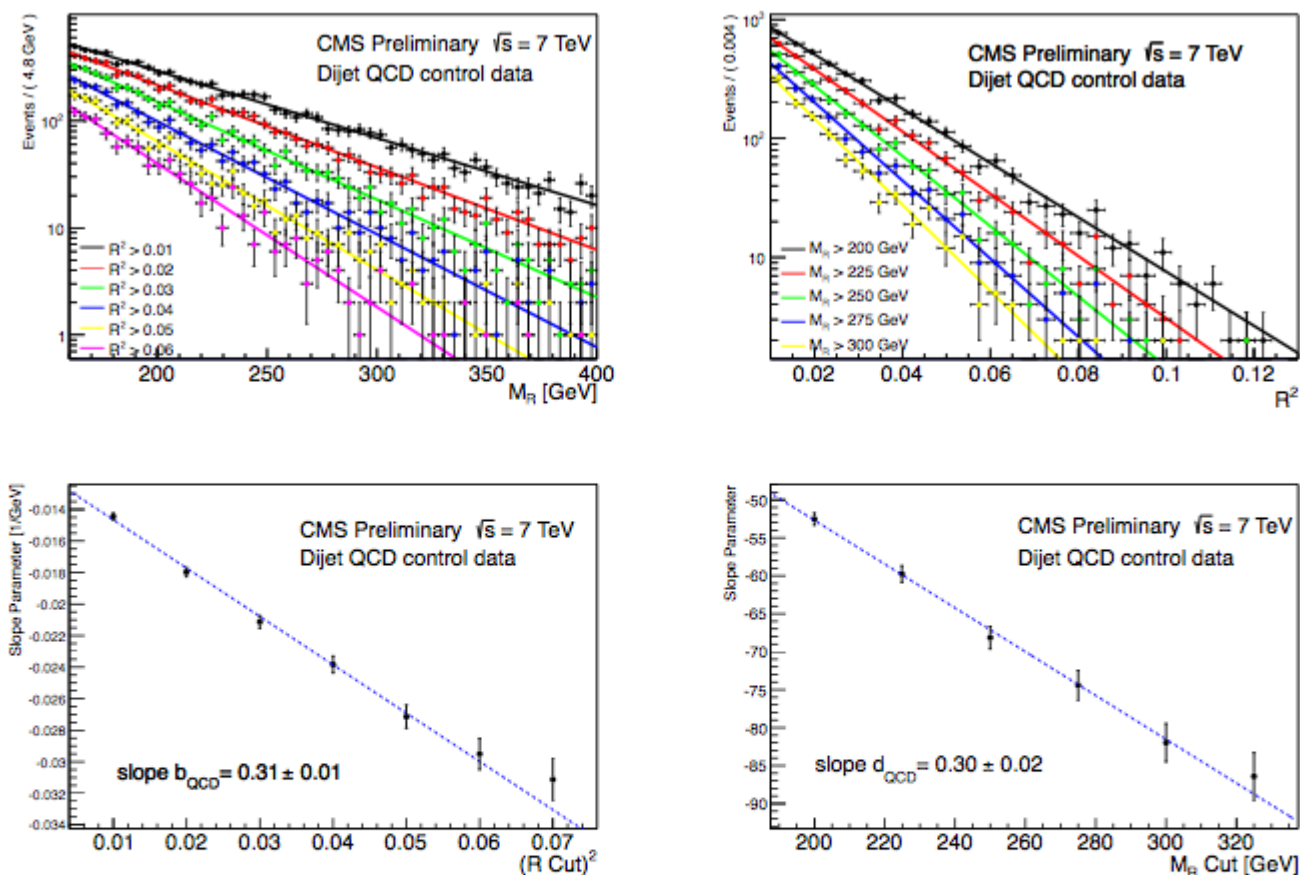


Figure 3: (Top left)  $M_R$  distributions for different values of the  $R^2$  threshold for events in data selected in the QCD control box. (Top right)  $R^2$  distributions for different values of the  $M_R$  threshold for events in data selected in the QCD control box. (Bottom left) The exponential slope  $S$  from fits to the  $M_R$  distribution, as a function of the square of the  $R^2$  threshold for data events in the QCD control box. (Bottom right) The coefficient in the exponent  $S$  from fits to the  $R^2$  distribution, as a function of the square of the  $M_R$  threshold for data events in the QCD control box.

## MU control box

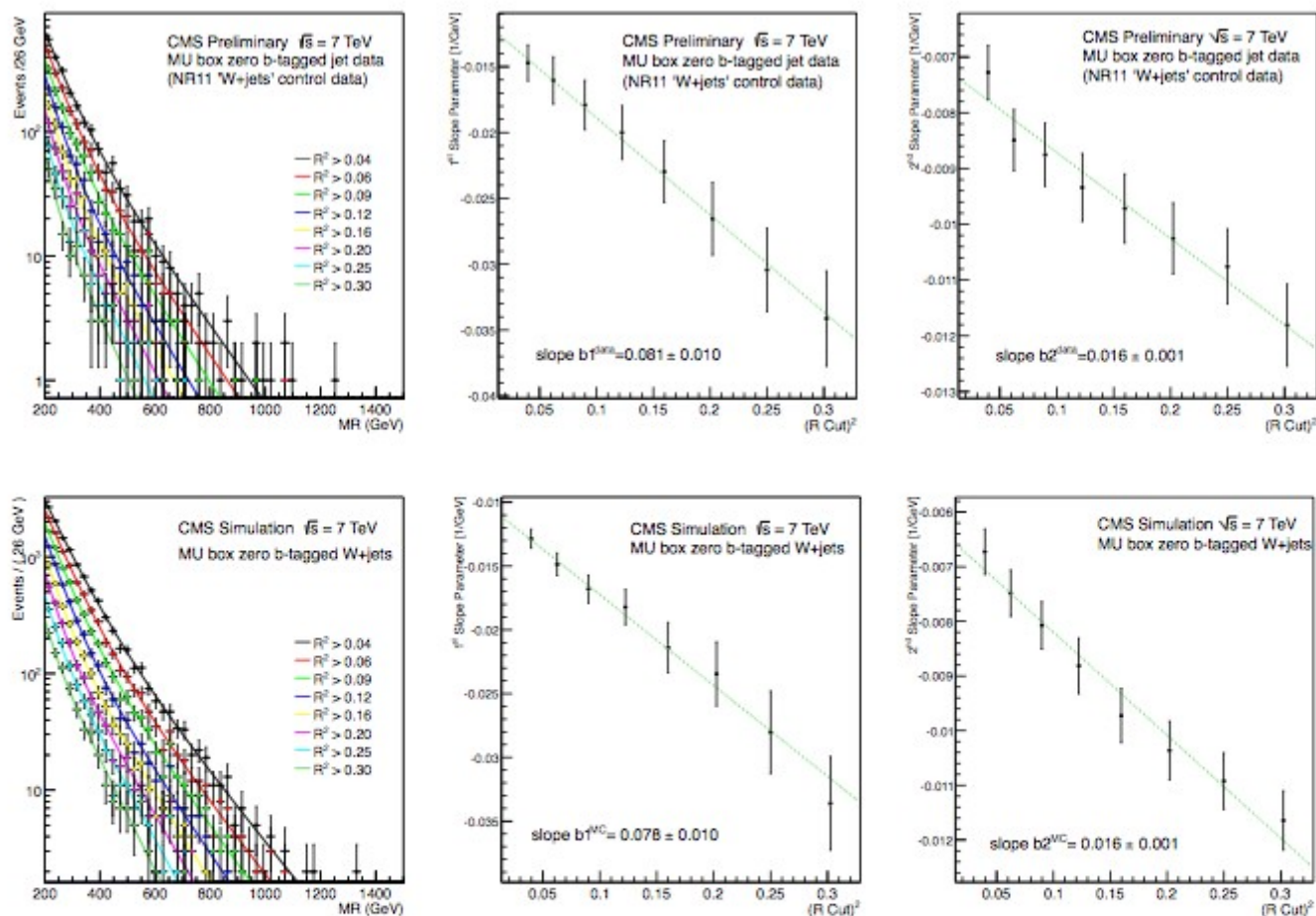


Figure 4: (Top left)  $M_R$  distributions for different values of the  $R^2$  threshold for events in data selected in the MU box with the requirement of 0 b-tagged jets. The dotted lines show two independent exponential components fit to the the  $M_R$  distribution, (top center) value of the first exponential slope  $S$  from fits to the  $M_R$  distribution, as a function of the  $R^2$  threshold (top right) value of the second exponential slope  $S$  from fits to the  $M_R$  distribution, as a function of the  $R^2$  threshold. (Bottom) The corresponding in simulated W+jets events.

# Razor material

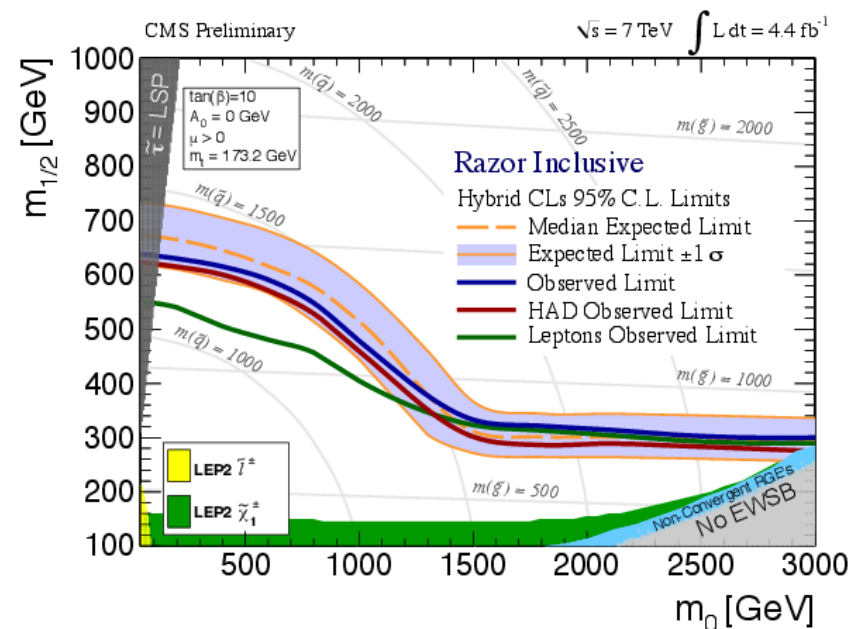
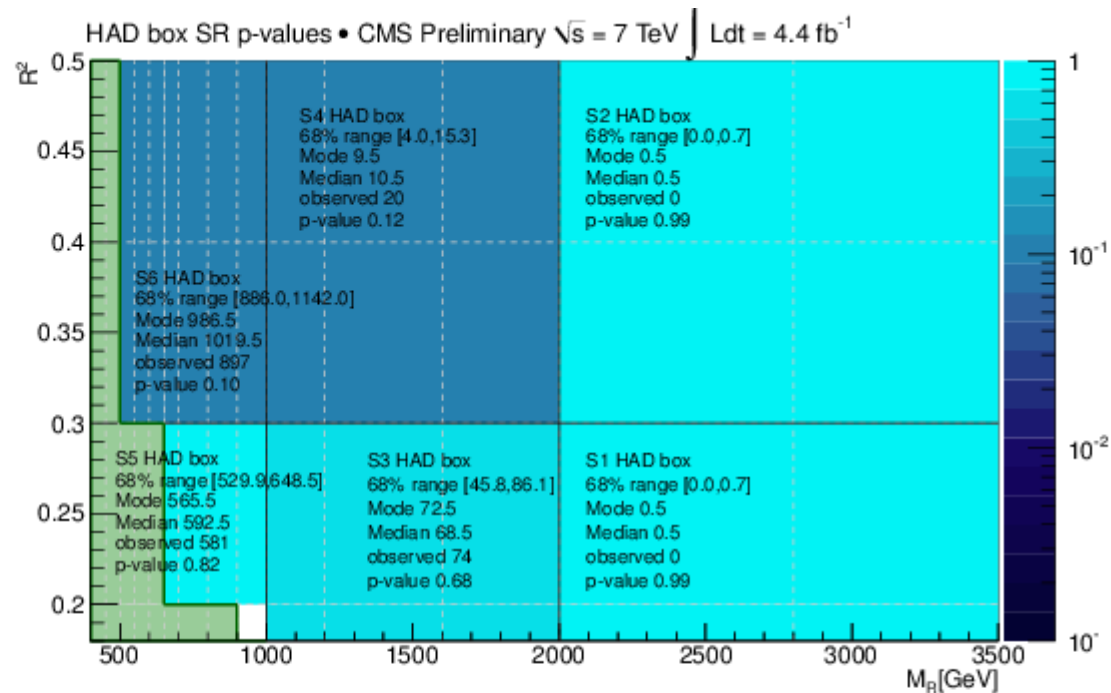


Figure 12: Observed (solid blue curve) and median expected (dot-dashed curve) 95% CL limits in the  $(m_0, m_{1/2})$  CMSSM plane with  $\tan \beta = 10$ ,  $A_0 = 0$ ,  $\text{sgn}(\mu) = +1$  from the razor analysis. The  $\pm$  one standard deviation equivalent variations in the uncertainties are shown as a band around the median expected limit. Shown separately the observed HAD-only (solid crimson) and leptonic-only (solid green) 95% CL limits.

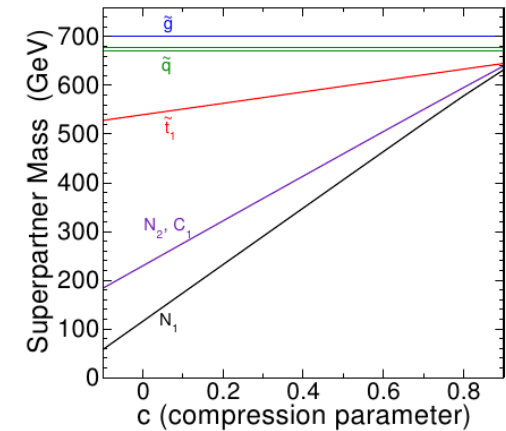
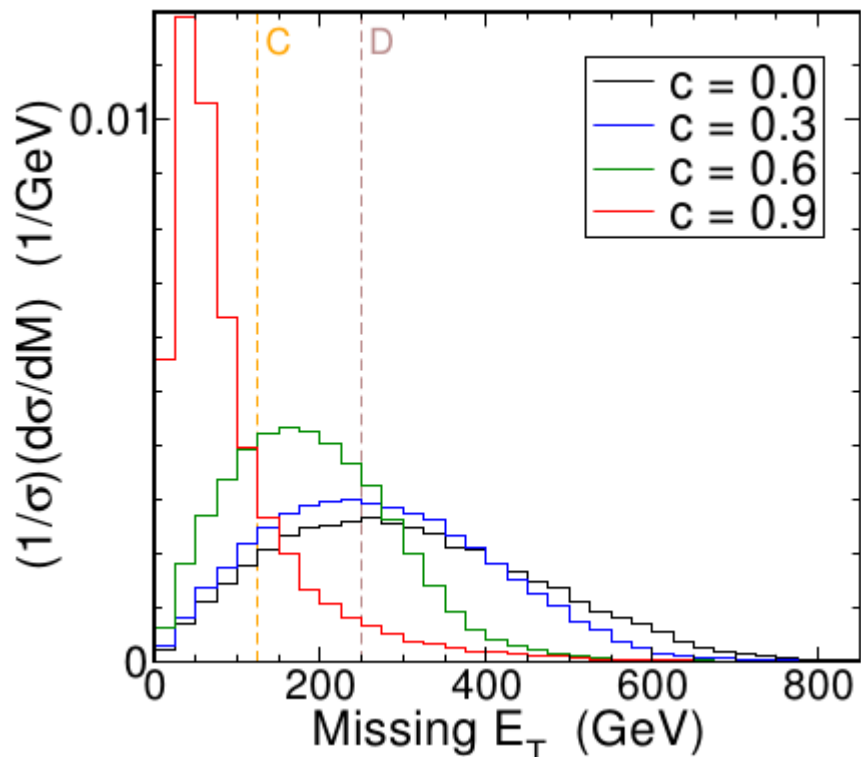


# Compressed spectra

What if BSM is characterized by **low  $M_{E_T}$ , reduced  $H_T$ , smaller cross-sections?**

This can happen if:

- $\Delta M(\tilde{g}, \text{LSP})$  is small
- $\Delta M(\text{NLSP}, \text{LSP})$  is small (effect on cascades)
- Direct production of light stops/sbottoms (not covered here)



## Is Jets+MET blind?

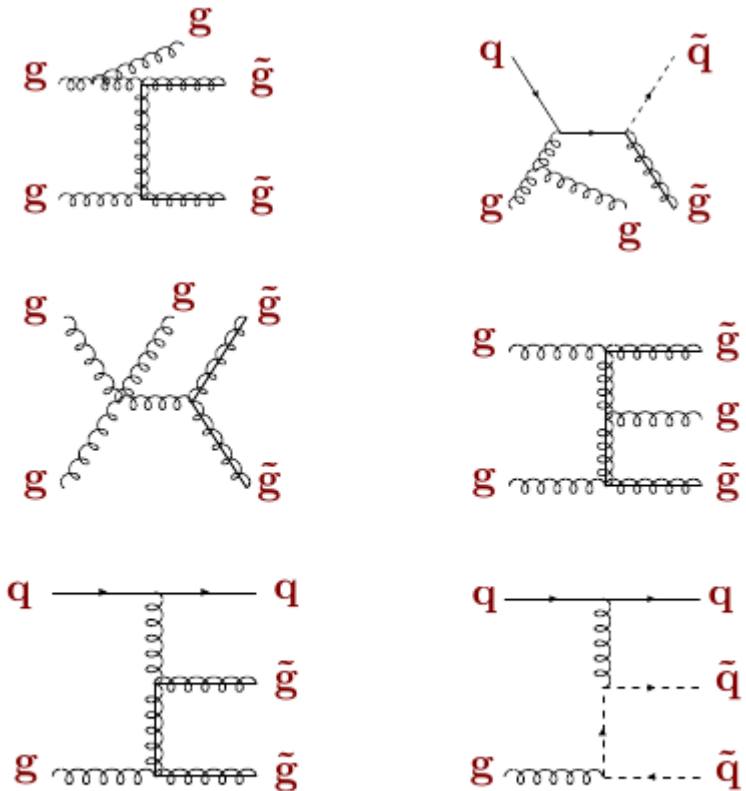
- Topological variables can help
- Searches have already left the “excess in tail-only” model
- Improvements in cuts, technologies
- At some point, it's matter of:
  - Statistics
  - Precision of SM background estimates

# ISR: issue or advantage?

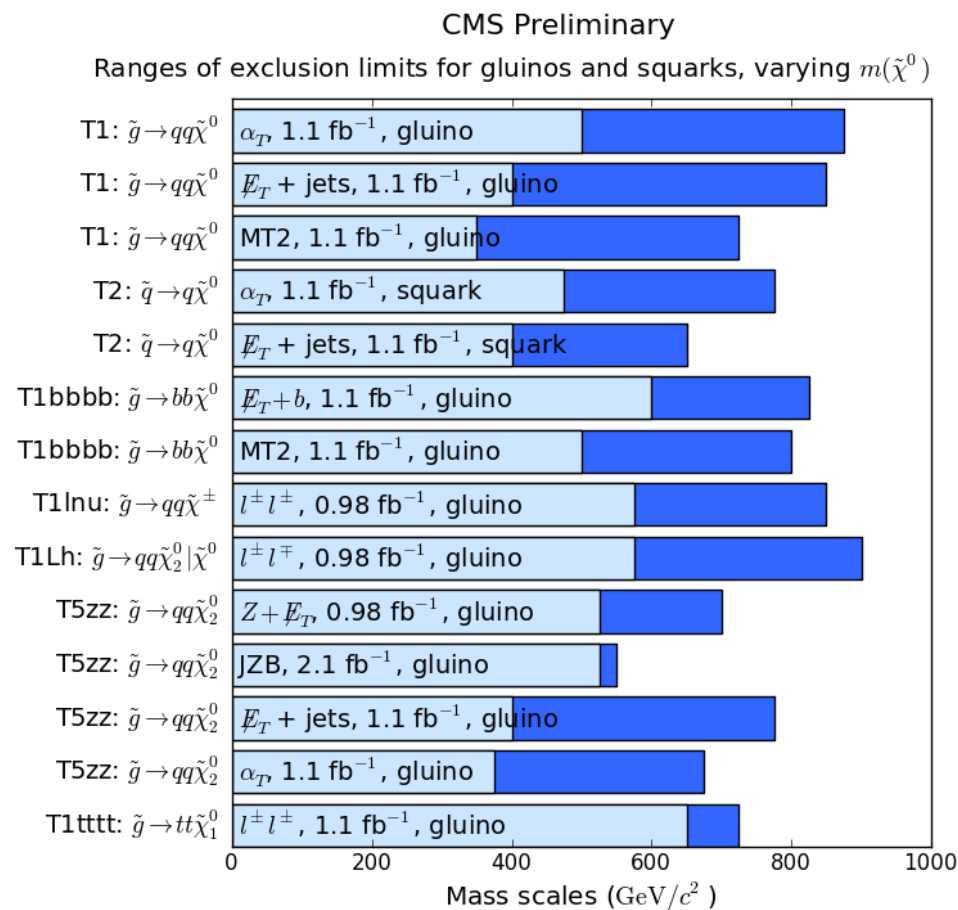
NLO ISR (*hard ISR*) emission in SUSY processes can help maximizing  $ME_T$  and

$H_T \rightarrow$  signal can be enhanced

- How much do we know ISR?
- How well is it modeled in simulations?
  - $\rightarrow$  Necessity to move e.g. to MadGraph for signal samples
- Can we “tag” it?



W. Beenaker, R. Hopker, M. Spira, P. Zerwas, hep-ph/9610490



For limits on  $m(\tilde{g}), m(\tilde{q}) \gg m(\tilde{g})$  (and vice versa).  $\sigma^{\text{prod}} = \sigma^{\text{NLO-QCD}}$ .

$$m(\tilde{\chi}^\pm), m(\tilde{\chi}_2^0) \equiv \frac{m(\tilde{g}) + m(\tilde{\chi}^0)}{2}$$

$m(\tilde{\chi}^0)$  is varied from 0 GeV/c<sup>2</sup> (dark blue) to  $m(\tilde{g}) - 200$  GeV/c<sup>2</sup> (light blue).